VIVEKANANDHA COLLEGE OF ARTS AND SCIENCES FOR WOMEN [AUTONOMOUS]

SPONSORED BY: ANGAMMAL EDUCATIONAL TRUST.

An ISO 9001: 2015 Certified Institution Affiliated to Periyar University, Approved by AICTE and Re-Accredited with 'A+' Grade by NAAC Recognized under section 2(f) and 12(B) of UGC Act, 1956

Elayampalayam - 637 205. Tiruchengode, Namakkal Dt., TamilNadu



DEPARTMENT OF MATHEMATICS

M.Sc., Mathematics

SYLLABUS & REGULATIONS

FOR THE STUDENTS ADMITTED FROM 2023- 2024 ONWARDS

ACADEMIC YEAR: 2024-2025

VIVEKANANDHA EDUCATIONAL INSTITUTIONS

Angammal Educational Trust Elayampalayam,Trichengode(T.k),Namakkal(Dt)

VIVEKANANDHA COLLEGE OF ARTS AND SCIENCES FOR WOMEN

[Autonomous]

ELAYAMPALAYAM, TIRUCHENGODE

M.Sc. MATHEMATICS - REGULATIONS

(Students admitted from 2023-2024 Onwards)

Under TANSCHE Syllabus

I. SCOPE OF THE COURSE

M.Sc. (Mathematics) is a high profile postgraduate program aimed to create enhanced competence of career positioning tied up with opportunity to become a skilled Mathematician. The program expects a serious commitment of the student to take up challenging study schedules and assignments. The course involves a blend of theoretical education and practical training which run concurrently for a period of two years and equips a student with knowledge, ability, skills and other qualities required for a professional Mathematician.

The uniqueness of the program is its content and topic coverage, the teaching methodology and the faculty. The syllabus has been designed at a level equal to that of professional courses. The teaching methodologies include classroom lectures, industrial visits, orientation, internship, case study and research work. Focus is also on developing soft skills of the students. For Core subjects, Outsource Guest Lectures by Industrialists and Subject Experts will be arranged to enable the students to get wider exposure.

II. SALIENT FEATURES

- Course is specially designed for a higher level Career Placement.
- Special Guest lectures from Subject Experts will be arranged.
- Special Teaching Oriented Training is part of the Degree Course.
- Course pave the way for enhanced conceptual, analytical & deductive skills to meet the Competitive exams like Banking/TNPSC /IAS/IFS/NET/SET etc.,

III. OBJECTIVES OF THE COURSE

Mathematics to-day is penetrating all fields of human endeavor and therefore it is necessary to prepare the students to scope with the advanced developments in various fields of Mathematics. The objectives of this course are the following:

- To import knowledge in advanced concepts and applications in various fields of Mathematics.
- b) To Provide wide choice of elective subjects with updated and new are as in various branches of Mathematics to meet the needs of all students.

IV. ELIGIBILITY FOR ADMISSION

A candidate who has passed B.Sc., Mathematics / B.Sc., Mathematics (Computer Applications) degree of this University or any other University accepted by the Syndicate equivalent there to, subject to such condition as may be prescribed therefore shall be permitted to appear and qualify for the Master of Science (M.Sc.,) Degree Examination in Mathematics of this University after a two academic years and the successful completion of all the courses prescribed.

v. DURATION OF THE COURSE

- The Programme shall extend over a period of two academic years consisting of four semesters .Each academic year will be divided into two semesters. Each semester consist of 90 working days.
- The subjects of the study shall be in accordance with the syllabus prescribed from time to time by the Board of Studies of Vivekananda College of Arts and Sciences for Women with the approval of Periyar University.

VI. CONTINUOUS INTERNAL ASSESMENT

The performance of the students will be assessed continuously and the Internal Assessment Marks will be as under:

1.	Average of two Tests	- 5Marks
2.	Model	-5Marks
3.	Seminar	-5 Marks
4.	Assignment	-5 Marks
5.	Attendance	-5Marks
	Total	=25Marks

ATTENDANCE PARTICULARS

Attendance%	Marks
76-80	1
81-85	2
86-90	3
91-95	4
96-100	5

PASSING MINIMUM IN THE EXTERNAL EXAMINATION

In the University Examinations, the passing minimum shall be 50 % out of 75 Marks (i.e 38 Marks in the External Examinations).

VII. ELIGIBILITY FOR EXAMINATION

A candidate will be permitted to appear for the University Examination only on earning 75 % of attendance and a satisfactory conduct. It shall be open to grant exemption to a candidate for valid reasons subject to conditions prescribed with supporting evidence.

VIII. CLASSIFICATION OF SUCCESSFUL CANDIDATE

Successful candidates passing the examination of Core Courses (main and allied subjects) and securing marks

- a) 75 % and above shall be declared to have passed the examination in first class with Distinction provided they pass all the examinations prescribed for the course at first appearance itself.
- **b**) 60% and above but below 75 % shall be declared to have passed the examinations in first class.
- c) 50% and above but below 60% shall be declared to have passed the examinations in second class.
- **d**) Candidates who pass all the examinations prescribed for the course at the first appearance itself and within a period of two consecutive academic years from the year of admission only will be eligible for rank.

IX. ELIGIBILITYFOR AWARDOFTHEDEGREE

A candidate shall be eligible for the award of the degree only if she has undergone the above degree for a period of not less than two academic years comprising of four semesters and passed the examinations prescribed and fulfilled such conditions have been prescribed therefore.

X. PROCEDURE IN THE EVENT OF FAILURE

If a candidate fails in a particular subject, she may reappear for the End of Semester in the concerned subject in subsequent semesters and shall pass the examination.

XI. COMMENCEMENT OF THESE REGULATIONS

These regulations shall take effect from the academic year 2020-2021 (i.e.,) for the students who are to be admitted to the first year of the programme during the academic year 2020-2021 and thereafter.

XII. TRANSITORY PROVISIONS

Candidates who have undergone the PG programme of study before 2020-2021 shall be permitted to appear for the examinations under those regulations of the year in which the candidates admitted to the programme. Supplementary examination will be conducted within a month. Incase of failure she has to complete within 5 years (2+3).

Thereafter, they will be permitted to appear for the examination only under the regulation then inforce.For the deserving candidates, if a student fails in a single subject she can be provided with maximum 5 marks as grace mark subject to the recommendation of the passing board.

ABOUT THE COLLEGE

Vivekanandha College of Arts and Sciences for Women (Autonomous) was established and hailed into Women's Educational Service in the Year1995. Angammal Educational Trust Chaired by the great Educationalist 'Vidhya Rathna' Prof. Dr. M. KARUNANITHI, B.Pharm., M.S., Ph.D., D.Litt., sponsors this college and other institutions under the name of the great Saint Vivekanandha. Our institutions are situated on either side of Tiruchengode Namakkal Main Road at Elayampalayam, 6 kms away from Tiruchengode. This is biggest women's college in India with more than 7500 girl students and more than 18 departments. The strength of the college was just 65 at the time of its establishment. With the dedication, work, sacrifice and long vision of the chairman, this institution has grown into a Himalaya stage. As a result of which UGC, New Delhi, awarded 2f and 12b, extended Autonomous status for second cycle. The National Assessment and Accreditation Council reaccredited with grade 'A' for its successful performance.

As an Autonomous Institution, academic professionals of the college framed Curriculum and Syllabi in consultation with all its stakeholders to cater the needs of the young women to fulfil the women empowerment and present Industrial needs to the local benefits. The students are empowering with confidence and required skills to face the society.

OUR VISION

• To evolve into a center of excellence in higher education through creative and innovative practices to social equity for women.

OUR MISSION

- To provide sufficient learning infrastructure to the students to pursue their studies.
- To provide good opportunity for higher education and conductive environment to the students to acquire education.
- To provide quality academic programs training activities and research facilities.
- To facilitate industry-institute interaction.

DEPARTMENT OF MATHEMATICS

VISION

- Empowerment of women through Education.
- To upgrade performance standards in the field of Mathematics in order to be a leading department in academic arena.
- To provide excellence in education for all students. We will assess and design courses and learning experiences that promote the academic achievement and the personal and social growth of students.

MISSION

- To Promote Quality Education to Women at all levels.
- To provide students experiences in Mathematics that will empower them to succeed in an ever changing society.
- To empower young women to face the challenges of life with courage and commitment.
- To equip them with enhanced employable skills.

Bloom's Taxonomy Based Assessment Pattern

K1-Remember;K2-Understanding;K3-Apply;K4-Analyze;K5- Evaluate;K6-Creating.

Theory: 75 Marks

Test- I & II and ESE:

Knowledge Level	Section	Marks	Description	Total
K1,K2	A (Answer all)	10x01=10	MCQ/Define	75
K3,K4	B (Either or pattern)	05x07=35	Short Answers	
K5&K6	C (Answer 3 out of 5)	03x10=30	Descriptive/Detai led	

Programme Outcomes

PO1: Problem Solving Skill

Apply knowledge of Management theories and Human Resource practices to solve business problems through research in Global context.

PO2: Decision Making Skill

Foster analytical and critical thinking abilities for data-based decision-making.

PO3: Ethical Value

Ability to incorporate quality, ethical and legal value-based perspectives to all organizational activities.

PO4: Communication Skill

Ability to develop communication, managerial and interpersonal skills.

PO5: Individual and Team Leadership Skill

Capability to lead themselves and the team to achieve organizational goals.

PO6: Employability Skill

Inculcate contemporary business practices to enhance employability skills in the competitive environment.

PO7: Entrepreneurial Skill

Equip with skills and competencies to become an entrepreneur.

PO8: Contribution to Society

Succeed in career endeavors and contribute significantly to society.

PO 9: Multicultural competence

Possess knowledge of the values and beliefs of multiple cultures and a global perspective.

PO 10: Moral and ethical awareness/reasoning

Ability to embrace moral/ethical values in conducting one's life.

Programme Specific Outcomes:

PSO1 – Placement

To prepare the students who will demonstrate respectful engagement with others' ideas, behaviors, beliefs and apply diverse frames of reference to decisions and actions.

PSO 2 - Entrepreneur

To create effective entrepreneurs by enhancing their critical thinking, problem solving, decision making and leadership skill that will facilitate startups and high potential organizations.

PSO3 – Research and Development

Design and implement HR systems and practices grounded in research that comply with employment laws,

leading the organization towards growth and development.

PSO4 – Contribution to Business World

To produce employable, ethical and innovative professionals to sustain in the dynamic business world.

PSO 5– Contribution to the Society

To contribute to the development of the society by collaborating with stakeholders for mutual benefit.

M.Sc., Mathematics

Programme Specific Outcomes:

PSO1: Acquire good knowledge and understanding, to solve specific theoretical & applied problems in different area of mathematics & statistics.

PSO2: Understand, formulate, develop mathematical arguments, logically and use quantitative models to address issues arising in social sciences, business and other context /fields.

PSO3: To prepare the students who will demonstrate respectful engagement with other's ideas, behaviors, beliefs and apply diverse frames of references to decisions and actions.

To create effective entrepreneurs by enhancing their critical thinking, problem solving, decision making and leadership skill that will facilitate startups and high potential organizations.

To encourage practices grounded in research that comply with employment laws, leading the organization towards growth and development.

Programme Educational Objectives:

PEO 1: To provide students with an awareness of skills in lifelong learning and self education.

PEO 2: To cultivate team work, technical writing, and oral communication skills.

PEO 3: To provide students with an appreciation of mathematical impact on society and the

Professional responsibilities of mathematician.

Bloom's Taxonomy

K1: Remembering: Retrieving, recognizing, and recalling relevant knowledge from long-term memory.

K2: Understanding: Constructing meaning from oral, written, and graphic messages through interpreting, exemplifying, classifying, summarizing, inferring, comparing, and explaining.

K3: Applying: Carrying out or using a procedure for executing, or implementing.

K4: Analyzing: Breaking material into constituent parts, determining how the parts relate to one another and to an overall structure or purpose through differentiating, organizing, and attributing.

K5: Evaluating: Making judgments based on criteria and standards through critique and checking.

K6: Creating: Putting elements together to form a coherent or functional whole; reorganizing elements into a new pattern or structure through generating, planning, or producing.



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CURRICULUM DEVELOPMENT CELL (CDC) Date: 27.03.2024

Curriculum structure 2024-25 onwards (PG)

(For candidates admitted during 2023-24 onwards)

	Semester - III					Semester -IV				
S.No	Sub.code	Sub.Name	Credits		S.No	Sub.code	Sub.Name	Credits		
1.	23P3	Core-1	5		1.	23P4	Core-1	5		
2.	23P3	Core-2	5		2.	23P4	Core-2	5		
3.	23P3DE	DSE-1	4		3.	23P4DE	DSE-1	4		
4.	23P3DE	DSE-2	4		4.	23P4DE	DSE-2	4		
5.	23P3DE	DSE-3	4		5.	23P4DE	DSE-3	4		
6.	23P3	Practical / Internship / Mini Project	2		6.	23P4PR	Project	3		
		Total	24				Total	25		

Note: Credits for Core & DSE may be changed, according to the total credits. (i.e. 91)

Dr. A. Malarvizhi (CDC coordinator)

VIVEKANANDHA COLLEGE OF ARTS AND SCIENCES FOR WOMEN [AUTONOMOUS] ELAYAMPALAYAM, TIRUCHENGODE-637205. DEPARTMENT OF MATHEMATICS M. Sc.–MATHEMATICS (TANSCHE) COURSE PATTERN AND SCHEME OF EXAMINATIONS UNDER OBE For the Candidates admitted from the year 2023-2024 ACADEMIC YEAR – 2024-25

SEM	SUBJECT CODE	COURSE	SUBJECTTITLE	Hours/ Week	CREDIT	INT. MARK	EXT. MARK	TOT. MARK
	23P1MAC01	Core Course-I	Algebraic Structures	6	4	25	75	100
	23P1MAC02	Core Course-II	Real Analysis - I	6	4	25	75	100
	23P1MAC03	Core Course-III	Ordinary Differential Equations	5	4	25	75	100
	23P1MADE05	Discipline Specific Elective Course-I	Number Theory	5	3	25	75	100
I	23P1MADE06	Discipline Specific Elective Course-II	Fuzzy Sets and Their Applications	4	3	25	75	100
	23P1MAS01	Skill Enhancement Course - I	Differential Equations Using SCI Lab	2	2	25	75	100
	23P1MAAC01	Ability Enhancement Compulsory Course - I	Aptitude Skills	2	2	25	75	100
		TOTAL		30	22	175	525	700

SEM	SUBJECT CODE	COURSE	SUBJECT TITLE	Hours/ Week	CREDIT	INT. MARK	EXT. MARK	TOT. MARK
	23P2MAC04	Core Course-IV	Advanced Algebra	6	4	25	75	100
	23P2MAC05	Core Course-V	Real Analysis - II	6	4	25	75	100
	23P2MAC06	Core Course-VI	Partial Differential Equations	5	4	25	75	100
	23P2MADE03	Discipline Specific Elective Course-III	Mathematical Methods	4	3	25	75	100
п	23P2MADE04	Discipline Specific Elective Course-IV	Discrete Mathematics	5	3	25	75	100
	23P2MAS02	Skill Enhancement Course - II	Mathematical Documentation Using Latex	2	2	25	75	100
	23P2MAAC02	Ability Enhancement Compulsory Course - II	Logical Skills	2	2	25	75	100
		ning during summe varded in III Semest	er vacation.(Credits shall ter mark sheet)	-	-	-	-	-
		TOTAL		30	22	175	525	700

SEM	SUBJECT CODE	COURSE	SUBJECTTITLE	Hou rs/W eek	CREDIT	INT. MARK	EXT. MARK	TOT. MARK
	23P3MAC07	Core Course-VII	Complex Analysis	6	5	25	75	100
	23P3MAC08	Core Course-VIII	Topology	5	4	25	75	100
	23P3MADE07	Discipline Specific Elective Course-V	Graph Theory and Applications	5	3	25	75	100
	23P3MADE08	Discipline Specific Elective Course-VI	Mathematical Statistic Analysis	5	3	25	75	100
ш	23P3MADE09	Discipline Specific Elective Course-VII	Computational Mathematics using C++	5	3	25	75	100
	23P3MADEP1	Discipline Specific Elective Practical - I	Computational Mathematics Lab	2	2	40	60	100
	23P3INT01	Internship	Internship	-	2	-	-	-
	23P3HR01	Value Education	Human Rights	2	1	25	75	100
		TOTAL		30	23	190	510	700

SEM	SUBJECT CODE	COURSE	SUBJECT TITLE	Hours /Week	CREDIT	INT. MARK	EXT.M ARK	TOT.M ARK
	23P4MAC09	Core Course-IX	Functional Analysis	5	4	25	75	100
	23P4MAC10	Core Course-X	Differential Geometry	6	4	25	75	100
	23P4MAC11	Core Course-XI	Measure Theory and Integration	5	4	25	75	100
IV	23P4MADE11	Discipline Specific Elective Course-XI	Mathematical Methods using Python	4	3	25	75	100
	23P4MADE12 Discipline Specific Elective Course-XII		Numerical Analysis	4	3	25	75	100
	23P4MAPR01	Core Project	Project with Viva Voce	4	4	40	60	100
		EDC		2	2	25	75	100
		TOTAL		30	24	190	510	700
		GRAND TOTAL		120	91	730	2070	2800

DISCIPLINE SPECIFIC ELECTIVE COURSES:

1.	Number Theory and Cryptography	-23P1MADE01
2.	Mathematical Programming	-23P1MADE02
3.	Mathematical Methods	-23P2MADE03
4.	Discrete Mathematics	-23P2MADE04
5.	Number Theory	-23P1MADE05
6.	Fuzzy Sets and Their Applications	-23P1MADE06
7.	Mechanics	-23P2MADE14
8.	Mathematical Statistic Analysis	-23P3MADE08
9.	Computational Mathematics using C++	-23P3MADE09
10.	Probability Theory	-23P4MADE10
11.	Mathematical Methods using Python	-23P4MADE11
12.	Numerical Analysis	-23P4MADE12
13.	Big Data Analysis using R Programming	-23P4MADE13
14.	Graph Theory and Applications	-23P3MADE07
15.	Fluid Dynamics	-23P2MADE15
16.	Core Industry Module	-23P3MADE16
17.	Computational Mathematics Lab	-23P3MADEP1

SKILL ENHANCEMENT COURSES:

1.	Differential equations using SCILAB	- 23P1MAS01
2.	Mathematical documentation using LATEX	- 23P2MAS02
3.	Mathematical Computation With Sage Math	- 23P1MAS03
4.	Office Automation and ICT Tools	- 23P1MAS04
5.	Numerical analysis using SCILAB	- 23P1MAS05
6.	Industrial Mathematics/ Statistics using latest programming packages	- 23P2MAS06
7.	Research Tools and Techniques	- 23P2MAS07

ABILITY ENHANCEMENT COMPULSORY COURSES:

1.	Aptitude Skills	-23P1MAAC01
2.	Logical Skills	-23P2MAAC02

Title of the Course		ALGEBRAIC STRUCTURES						
Paper Number		CORE I						
Catego	Core	Year	Ι	Credits	4	Course	23P1MAC01	
ry	-	Semester	Ι	1		Code		
•	onal Hours	Lecture	T	itorial		ab	Total	
per week						ractice		
Per veen	-	5	1				6	
Pre-requ	isite	UG level M	-	Algebra			0	
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Course	is of the						e abelian groups	
Course		linear transf		-	-	-	e abenañ group.	
Course C	utling						for finite group	
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		groups- Moo		e groups - I	Jireci	products -	Finite abelian	
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		Chapter 5 :		on 5.7 (Len	ima :	5.7.1, Lem	ma 5.7.2,	
		Theorem 5.7.1) Character 2: Section 2:12 and 2:14 (Theorem 2:14.1 and 2)						
		Chapter 2: Section 2.13 and 2.14 (Theorem 2.14.1 only)						
	-	Chapter 4: Section 4.5 (12Hrs)						
		UNIT-III : Linear Transformations: Canonical forms –						
		Triangular form - Nilpotent transformations. Chapter 6: Sections 6.4, 6.5 (12Hrs)						
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		UNIT-IV :					rm.	
	-	Chapter 6 :				~~~ <i>(</i>	. 1	
		UNIT-V: Trace and transpose - Hermitian, unitary, normal						
		transformations, real quadratic form. Chapter 6 : Sections 6.8, 6.10 and 6.11 (Omit 6.9) (12Hrs)						
				ons 6.8, 6.	iv an	a 6.11 (On	11t 6.9) (12Hrs)	
D . 1 1		Total Hrs:				<u> </u>		
Extended							rious competitiv	
Profession					NEI	I / UGC -	CSIR / GATE	
-	nt (is a part	TNPSC / others to be solved						
of	internal	(To be discu	issed d	uring the Ti	utoria	l hour)		
componet	nt only, Not							
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to be incl External Examinat question p	ion paper)							
to be incl External Examinat question p Skills acc	ion paper) juired from	-				•	•	
to be incl External Examinat question p	ion paper) juired from	Competency				•	ility, Professiona nd Transferrabl	
to be incl External Examinat question p Skills acc	ion paper) juired from e	Competency Skill	y, Prot	fessional C	omm	unication a	•	

Reference Books	1. M.Artin, <i>Algebra</i> , Prentice Hall of India, 1991.
	2. P.B.Bhattacharya, S.K.Jain, and S.R.Nagpaul, <i>Basic</i>
	Abstract Algebra (II Edition) Cambridge University Press,
	1997. (Indian Edition)
	3. I.S.Luther and I.B.S.Passi, <i>Algebra</i> , Vol. I –
	Groups(1996); Vol. II Rings, Narosa Publishing House, New
	Delhi, 1999
	4. D.S.Malik, J.N. Mordeson and M.K.Sen, <i>Fundamental of</i>
	Abstract Algebra, McGraw Hill (International Edition), New
	York. 1997.
	5. N.Jacobson, Basic Algebra, Vol. I & II W.H.Freeman
	(1980); also published by Hindustan Publishing Company, New
	Delhi.
Website and	http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics,
e-Learning Source	http://www.opensource.org, www.algebra.com

Students will be able to

CLO 1: Recall basic counting principle, define class equations to solve problems, explain Sylow's theorems and apply the theorem to find number of Sylow subgroups

CLO 2: Define Solvable groups, define direct products, examine the properties of finite abelian groups, define modules

CLO 3: Define similar Transformations, define invariant subspace, explore the properties of triangular matrix, to find the index of nilpotence to decompose a space into invariant subspaces, to find invariants of linear transformation, to explore the properties of nilpotent transformation relating nilpotence with invariants.

CLO 4: Define Jordan, canonical form, Jordan blocks, define rational canonical form, define companion matrix of polynomial, find the elementary devices of transformation, apply the concepts to find characteristic polynomial of linear transformation.

CLO 5: Define trace, define transpose of a matrix, explain the properties of trace and transpose, to find trace, to find transpose of matrix, to prove Jacobson lemma using the triangular form, define symmetric matrix, skew symmetric matrix, adjoint, to define Hermitian, unitary, normal transformations and to verify whether the transformation in Hermitian, unitary and normal.

			PSOs						
	1	2	3	4	5	6	1	2	3
CLO1	3	1	3	2	3	3	3	2	1
CLO2	2	1	3	1	3	3	3	2	1
CLO3	3	2	3	1	3	3	3	2	1
CLO4	1	2	3	2	3	3	3	2	1
CLO5	3	1	2	3	3	3	3	2	1

Title of the	Course	REAL AN	NAL	YSIS I						
Paper Nun	ıber	CORE II								
Category	Core	Year Semester	I I	Credits	4	Course Code	e 23P1MAC02			
Instruction Hours	al	Lecture		Tutorial		ab ractice	Total			
per week		5		1			6			
Pre-requisi				analysis concep						
Objectives Course	of the	Riemann-S infinite pr	Stielt oduc	jes Integratior	i, con n co	nvergence nvergence	bounded variation of infinite series and its interplay			
		variation - Total varia bounded v functions - Chapter - Infinite S Dirichlet's Riemann's	Tota ation ariat Con 6 : So Serie tes theo	I variation - A on [a, x] as ion expressed itinuous function ections 6.1 to s : Absolute	dditiv a fu as the ons of 5.8 and test - onally	ve property unction of e differenc E bounded condition - Rearrang y converge	nal convergence gement of series			
	_	Notation - Linear Pro Riemann - Euler's s integrators properties Compariso Chapter - 7	UNIT-II : The Riemann - Stieltjes Integral - Introduction - Notation - The definition of the Riemann - Stieltjes integral - Linear Properties - Integration by parts- Change of variable in a Riemann - Stieltjes integral - Reduction to a Riemann Integral – Euler's summation formula - Monotonically increasing integrators, Upper and lower integrals - Additive and linearity properties of upper, lower integrals - Riemann's condition - Comparison theorems. Chapter - 7 : Sections 7.1 to 7.14 (12 Hrs)							
		UNIT-III : The Riemann-Stieltjes Integral - Integrators o bounded variation-Sufficient conditions for the existence o Riemann-Stieltjes integrals-Necessary conditions for the existence of RS integrals- Mean value theorems -integrals as a function of the interval – Second fundamental theorem o integral calculus-Change of variable -Second Mean Value Theorem for Riemann integral- Riemann-Stieltjes integrals depending on a parameter- Differentiation under integral sign Lebesgue criteriaon for existence of Riemann integrals. Chapte - 7 : 7.15 to 7.26 (12 Hrs)								

Total Hrs Extended Professional Component (is a part of internal component only, Not to be included in the External	 UNIT-IV : Infinite Series and infinite Products - Double sequences - Double series - Rearrangement theorem for double series - A sufficient condition for equality of iterated series - Multiplication of series - Cesaro summability - Infinite products. Chapter - 8 Sec, 8.20, 8.21 to 8.26 Power series - Multiplication of power series - The Taylor's series generated by a function - Bernstein's theorem - Abel's limit theorem - Tauber's theorem Chapter 9 : Sections 9.14 9.15, 9.19, 9.20, 9.22, 9.23 (12 Hrs) UNIT-V: Sequences of Functions – Pointwise convergence of sequences of functions - Examples of sequences of real - valued functions - Uniform convergence - Uniform convergence of infinite series of functions - Riemann - Stieltjes integration - Non-uniform Convergence and Term-by-term Integration - Uniform convergence of a series - Mean convergence. Chapter -9 Sec 9.1 to 9.6, 9.8,9.9,9.10,9.11, 9.13 (12 Hrs) Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC – CSIR / GATE / TNPSC / others to be solved (To be discussed during the Tutorial hour)
question paper)Skillsacquiredfrom this course	Knowledge, Problem Solving, Analytical ability, Professional Competency, Professional Communication and Transferrable Skill
Recommended	Tom M.Apostol : <i>Mathematical Analysis</i> , 2 nd Edition, Addison-
Text	Wesley Publishing Company Inc. New York, 1974.
Reference Books	 Bartle, R.G. <i>Real Analysis</i>, John Wiley and Sons Inc., 1976. Rudin,W. <i>Principles of Mathematical Analysis</i>, 3rd Edition. McGraw Hill Company, New York, 1976. Malik,S.C. and Savita Arora. <i>Mathematical Anslysis</i>, Wiley Eastern Limited.New Delhi, 1991. Sanjay Arora and Bansi Lal, <i>Introduction to Real Analysis</i>, Satya Prakashan, New Delhi, 1991. Gelbaum, B.R. and J. Olmsted, <i>Counter Examples in Analysis</i>, Holden day, San Francisco, 1964. A.L.Gupta and N.R.Gupta, <i>Principles of Real Analysis</i>,
	Pearson Education (Indian print) 2003
Website and	Pearson Education, (Indian print) 2003. http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics,

Students will be able to

CLO1: Analyze and evaluate functions of bounded variation and Rectifiable Curves.

CLO2: Describe the concept of Riemann-Stieltjes integral and its properties.

CLO3: Demonstrate the concept of step function, upper function, Lebesgue function and their integrals.

CLO4: Construct various mathematical proofs using the properties of Lebesgue integrals and establish the Levi monotone convergence theorem.

CLO5: Formulate the concept and properties of inner products, norms and measurable functions.

			PSOs						
	1	2	3	4	5	6	1	2	3
CLO1	3	1	3	2	3	3	3	2	1
CLO2	2	1	3	1	3	3	3	2	1
CLO3	3	2	3	1	3	3	3	2	1
CLO4	1	2	3	2	3	3	3	2	1
CLO5	3	1	2	3	3	3	3	2	1

Title of the	Course	ORDINARY DIFFERENTIAL EQUATIONS								
Paper Nun	ıber	CORE III								
Category	Core	Year	Ι	Credits	4	Course	23P1MAC0			
		Semester	Ι			Code				
Instruction	al	Lecture		Tutorial]	Lab	Total			
Hours]	Practice				
per week		4		1	-		5			
Pre-requisi	te	UG level (Calcul	lus and Diffe	erentia	al Equations				
Objectives Course	of the	differential and also w	equa equa	ations with agular points	const s, to s	ant and var	solutions to linea riable coefficient ce and uniquenes tions			
Course Ou	tline	Second ord Linear depo for Wronsk	der h ender tian-N	omogeneous ice and inde	equa pende neous	ence-Wronsk equation of	value problems			
		 Homogeneous and non-homogeneous equation of order n – Initial value problems- Annihilator method to solve non- homogeneous equation- Algebra of constant coefficient operators. Chapter 2 : Sections 7 to 12. (12 Hrs) 								
		UNIT-III : Linear equation with variable coefficients Initial value problems -Existence and uniqueness theorems – Solutions to solve a non-homogeneous equation – Wronskiar and linear dependence – reduction of the order of a homogeneous equation – homogeneous equation with analytic coefficients-The Legendre equation.								
		Chapter	: 3 Se	ctions 1 to 8	8 (O r	nit section	9) (12 Hrs)			
		 UNIT-IV :Linear equation with regular singular points Euler equation – Second order equations with regular singula points –Exceptional cases – Bessel Function. Chapter 4 : Sections 1 to 4 and 6 to 8 (Omit sections 5 and 9) (12 Hrs) 								
		UNIT-V : Existence and uniqueness of solutions to first order equations: Equation with variable separated – Exact equation –								
		method of successive approximations – the Lipschitz condition – convergence of the successive approximations and the existence theorem.								
		Chapter 5 : Sections 1 to 6 (Omit Sections 7 to 9) (12 Hrs)								
Total Hours		60 Hrs								

Extended Professional Component (is a part of internal component only, Not to be included in the External Examination	Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC – CSIR / GATE / TNPSC / others to be solved (To be discussed during the Tutorial hour)
question paper) Skills acquired from this course	Knowledge, Problem Solving, Analytical ability, Professional Competency, Professional Communication and Transferrable Skill
Recommended Text	E.A.Coddington, <i>A introduction to ordinary differential equations</i> (3 rd Printing) Prentice-Hall of India Ltd., New Delhi, 1987.
Reference Books	 Williams E. Boyce and Richard C. DI Prima, <i>Elementary</i> <i>differential equations and boundary value problems</i>, John Wiley and sons, New York, 1967. George F Simmons, <i>Differential equations with</i> <i>applications and historical notes</i>, Tata McGraw Hill, New Delhi, 1974. N.N. Lebedev, <i>Special functions and their applications</i>, Prentice Hall of India, New Delhi, 1965. W.T. Reid. <i>Ordinary Differential Equations</i>, John Wiley and Sons, New York, 1971 M.D.Raisinghania, <i>Advanced Differential Equations</i>, S.Chand & Company Ltd. New Delhi 2001 B.Rai, D.P.Choudary and H.I. Freedman, <i>A Course in</i> <i>Ordinary Differential Equations</i>, Narosa Publishing House, New Delhi, 2002.
Website and e-Learning Source	http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics, http://www.opensource.org, www.mathpages.com

Students will be able to

CLO1: Establish the qualitative behavior of solutions of systems of differential equations .

CLO2: Recognize the physical phenomena modeled by differential equations and dynamical systems.

CLO3: Analyze solutions using appropriate methods and give examples.

CLO4: Formulate Green's function for boundary value problems.

CLO5: Understand and use various theoretical ideas and results that underlie the mathematics in this course.

			PSOs						
	1	2	3	4	5	6	1	2	3
CLO1	3	1	3	2	3	3	3	2	1
CLO2	2	1	3	1	3	3	3	2	1
CLO3	3	2	3	1	3	3	3	2	1
CLO4	1	2	3	2	3	3	3	2	1
CLO5	3	1	2	3	3	3	3	2	1

Title of th Course	e ADVAN	CED ALO	GEBRA							
Paper Number	CORE I	CORE IV								
Category Core	Year	Ι	Credits	4	Course	23P2MAC04				
	Semester	II			Code					
Instructional Hour per week		Lecture Tutorial 5 1				Total				
Pre-requisite	-	-			-	0				
Objectives of th Course										
Course Outline	UNIT-I :	Extension f	fields – Tran	scenc	lence of e.					
	Chapter 5	5: Section	5.1 and 5.2	<u>(12</u>]	Hrs)					
	UNIT-II :	UNIT-II : Roots or Polynomials More about roots								
	Chapter	Chapter 5: Sections 5.3 and 5.5 (12 Hrs)								
	UNIT-III	UNIT-III : Elements of Galois theory.								
	Chapter 5	Chapter 5 : Section 5.6 (12 Hrs)								
	UNIT-IV	UNIT-IV : Finite fields - Wedderburn's theorem on finite division								
	rings.	•								
		Chapter 7: Sections 7.1 and 7.2 (Theorem 7.2.1 only) (12 Hrs)								
		UNIT-V :Solvability by radicals - A theorem of Frobenius - Integral								
	~		Four - Squar							
			1 5.7 (omit	Len	nma 5.7.1,	Lemma 5.7.2 and				
		Theorem 5.7.1)								
	-	Chapter 7 : Sections 7.3 and 7.4 (12 Hrs)								
Total Hrs	60 Hrs	1 . 1 .	.1 1		· .	••				
Extended						various competitiv				
Professional			/ IKB / NE	1 / L	JUC – USIK	/ GATE / TNPSC				
Component (is a par of interna		others to be solved (To be discussed during the Tutorial hour)								
component only, No		cussed dui	ing the Tuto	1101 11	ourj					
to be included in th										
External	~									
Examination										
question paper)										
Skills acquired from	n Knowled	ge. Probl	em Solving	<u>л.</u> А	nalytical a	bility, Professiona				
this course			•			ansferrable Skill				
Recommended	1 I.N. Here	stein. <i>Toni</i>	cs in Algehi	<i>a</i> (11	Edition) Wi	ley EasternLimited				

Reference Books	1. M.Artin, <i>Algebra</i> , Prentice Hall of India, 1991.
	2. P.B.Bhattacharya, S.K.Jain, and S.R.Nagpaul, Basic Abstract
	Algebra (II Edition) Cambridge University Press, 1997. (Indian
	Edition)
	3. I.S.Luther and I.B.S.Passi, <i>Algebra</i> , Vol. I –Groups(1996); Vol.
	II Rings, Narosa Publishing House, New Delhi, 1999
	4. D.S.Malik, J.N. Mordeson and M.K.Sen, Fundamental of
	Abstract Algebra, McGraw Hill (International Edition), New York.
	1997.
	5. N.Jacobson, Basic Algebra, Vol. I & II Hindustan Publishing
	Company, New Delhi.
Website and	http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics,
e-Learning Source	http://www.opensource.org, www.algebra.com

Students will be able to

CLO1: Prove theorems applying algebraic ways of thinking.

CLO2: Connect groups with graphs and understanding about Hamiltonian graphs.

CLO3: Compose clear and accurate proofs using the concepts of Galois Theory.

CLO4: Bring out insight into Abstract Algebra with focus on axiomatic theories.

CLO5: Demonstrate knowledge and understanding of fundamental concepts including extension fields, Algebraic extensions, Finite fields, Class equations and Sylow's theorem.

			PSOs						
	1	2	3	4	5	6	1	2	3
CLO1	3	1	3	2	3	3	3	2	1
CLO2	2	1	3	1	3	3	3	2	1
CLO3	3	2	3	1	3	3	3	2	1
CLO4	1	2	3	2	3	3	3	2	1
CLO5	3	1	2	3	3	3	3	2	1

Title of	the	REAL AN	ALY	SIS II						
Course										
Paper Nun	nber	CORE V								
Category	Core	Year	Year I Credits 4 Course							
		Semester II				Co	ode			
Instruction	al	Lecture Tutorial Lab Total								
Hours			Practice							
per week		5 1 6								
Pre-requisi	te	Elements of	Real	Analysis						
Objectives	of the	To introduc	ce me	easure on the	e real li	ne, Le	ebesgi	ue measurabilit		
Course		and integrab	oility,	Fourier Ser	ies and	Integr	rals, ii	n-depth study i		
		multivariabl	e calo	culus.						
Course Out	tline	UNIT-I :M	easur	e on the Re	al line ·	- Lebe	esgue	Outer Measure		
		Measurable	sets -	- Regularity	- Measu	ırable	Funct	ions - Borel an		
		Lebesgue M								
		Chapter - 2	Sec 2	2.1 to 2.5 (de	e Barra) (12	Hrs)			
								Real variable		
						ns - T	The G	eneral Integral		
				esgue Integr						
		Chapter - 3 Sec 3.1,3.2 and 3.4 (de Barra) (12 Hrs)								
		UNIT-III : Fourier Series and Fourier Integrals - Introduction								
		- Orthogonal system of functions - The theorem on best								
								on relative to a		
								efficients - Th		
								d representation		
								nann - Lebesgu		
				-			-	epresentation for		
		-						in's localizatio		
							-	ce of a Fouri		
		-		-			-	of Fourier serie		
		-		•	theore	em	- Tł	ne Weierstra		
		approximati								
	F			tions 11.1 to						
								- Introduction		
								e and continuit		
							1	essed in terms of		
		1						1 - The Jacobia		
		matrix - The chain rule - Matrix form of chain rule - The mean value theorem for differentiable functions - A sufficien								
								- A sufficien		
					-			condition for		
		equality of mixed partial derivatives - Taylor's theorem for								
		functions of \mathbb{R}^n to \mathbb{R}^1								
	ŀ	Chapter 12 : Section 12.1 to 12.14 (Apostol) (12 Hrs)								
		UNIT-V : Implicit Functions and Extremum Problems :								
		Functions with non-zero Jacobian determinants – The inver								
		function theorem-The Implicit function theorem-Extrema of real valued functions of severable variables-Extremum problems with								
				of severable	variable	es-Ext	remur	n problems wit		
		side conditio		tiona 12 1 +-	127()	mant	a)) (1	1 II ma)		
		Unapter 13	: 560	tions 13.1 to) 13./ (A	1DOSTO	VI) (I	2 HTS)		

T (111	
Total Hrs	60 Hrs
Extended	Questions related to the above topics, from various competitive
Professional	examinations UPSC / TRB / NET / UGC – CSIR / GATE /
Component (is a	TNPSC / others to be solved
part of internal	(To be discussed during the Tutorial hour)
component only,	
Not to be included	
in the External	
Examination	
question paper)	
Skills acquired	Knowledge, Problem Solving, Analytical ability, Professional
from this course	Competency, Professional Communication and Transferrable Skill
Recommended	1. G. de Barra, <i>Measure Theory and Integration</i> , Wiley Eastern
Text	Ltd., New Delhi, 1981. (for Units I and II)
	2. Tom M.Apostol : <i>Mathematical Analysis</i> , 2 nd Edition,
	Addison-Wesley Publishing Company Inc. New York, 1974. (for
	Units III, IV and V)
Reference Books	1. Burkill, J.C. The Lebesgue Integral, Cambridge University
	Press, 1951.
	2. Munroe, M.E. Measure and Integration. Addison-Wesley,
	Mass.1971.
	3. Roydon, H.L . Real Analysis, Macmillan Pub. Company, New
	York, 1988.
	4. Rudin, W. Principles of Mathematical Analysis, McGraw
	Hill Company, New York, 1979.
	5. Malik, S.C. and Savita Arora. <i>Mathematical Analysis</i> , Wiley
	Eastern Limited. New Delhi, 1991.
	6. Sanjay Arora and Bansi Lal, Introduction to Real Analysis,
	Satya Prakashan, New Delhi, 1991
Website and	http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics,
e-Learning	http://www.opensource.org
Source	

Students will be able to

CLO1: Understand and describe the basic concepts of Fourier series and Fourier integrals with respect to orthogonal system.

CLO2: Analyze the representation and convergence problems of Fourier series.

CLO3: Analyze and evaluate the difference between transforms of various functions.

CLO4: Formulate and evaluate complex contour integrals directly and by the fundamental theorem.

CLO5: Apply the Cauchy integral theorem in its various versions to compute contour integration.

			PSOs						
	1	2	3	4	5	6	1	2	3
CLO1	3	1	3	2	3	3	3	2	1
CLO2	2	1	3	1	3	3	3	2	1
CLO3	3	2	3	1	3	3	3	2	1
CLO4	1	2	3	2	3	3	3	2	1
CLO5	3	1	2	3	3	3	3	2	1

Title of	the	PARTIA	L DI	FFER	ENTIAL I	EQI	JATIONS				
Course											
Paper		CORE VI									
Number											
Category	Core	Year	Year I Credits 4 Course 23P2MA								
Category	COIC	Semester									
Instruction	ngl	Lecture	11	Tut	orial	La	b Practice	Total			
Hours	141	4		1	JI 141		DITACIC	5			
per week				1				5			
Pre-requis	ite	UG level partial differential equations									
Objectives					1			ial equations and to			
Course	or the							ation of variables,			
course		boundary v	-	-		10 0	or sepure				
Course Ou	ıtline			+		ls a	nd Classi	fication of second			
								g string – Vibrating			
		-			-			nduction of heat in			
								er equations in two			
								ations with constant			
		coefficient					unis equ				
		Chapter 2									
		-			3.1 to 3.4	(On	nit 3 5) (1	7 Hrs)			
								problem – Cauchy-			
				•			•				
		Kowalewsky theorem – Homogeneous wave equation – Initial Boundary value problem- Non-homogeneous boundary conditions									
								eous wave equation			
		– Riemann method – Goursat problem – spherical wave equation – cylindrical wave equation.									
		-		-							
					<u>4.1 to 4.11</u>						
								bles: Separation of			
								e and uniqueness of			
				-				nduction problem -			
				-		utior	n of heat co	onduction problem -			
		Laplace an		-							
		-				<u> </u>		6.7) (12 Hrs)			
		UNIT-IV			·			: Boundary value			
		-						s – Uniqueness and			
								a circle, a circular			
				•			-	involving Poisson			
		-			problem fo			rectangle.			
					8.1 to 8.9	<u> </u>					
					Function:			function - Green's			
		function – Method of Green's function – Dirichlet Problem for the									
		Laplace an	nd He	elmho	ltz operato	rs –	Method o	of images and eigen			
		functions -	- Hig	her di	mensional j	prob	lem – Neu	mann Problem.			
		Chapter 1	0 : S	ectior	n 10.1 to 10	.9	(12 Hrs)				

Extended	Questions related to the above topics, from various competitive
Professional	examinations UPSC / TRB / NET / UGC - CSIR / GATE /
Component (is a	TNPSC / others to be solved
part of internal	(To be discussed during the Tutorial hour)
component only,	
Not to be included	
in the External	
Examination	
question paper)	
Skills acquired from	Knowledge, Problem Solving, Analytical ability, Professional
this course	Competency, Professional Communication and Transferrable Skill
Recommended	TynMyint-U and Lokenath Debnath, Partial Differential
Text	Equations for Scientists and Engineers (Third Edition), North
	Hollan, New York, 1987.
Reference	1. M.M.Smirnov, Second Order partial Differential Equations,
Books	Leningrad, 1964.
DOOKS	2. I.N.Sneddon, <i>Elements of Partial Differential Equations</i> ,
	McGraw Hill, New Delhi, 1983.
	3. R. Dennemeyer, Introduction to Partial Differential Equations
	and Boundary Value Problems, McGraw Hill, New York,
	1968.
	4. M.D.Raisinghania, Advanced Differential Equations, S.Chand
	& Company Ltd., New Delhi, 2001.
	5. S, Sankar Rao, Partial Differential Equations, 2 nd Edition,
	Prentice
	Hall of India, New Delhi. 2004
Website and	http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics,
e-Learning Source	http://www.opensource.org, www.mathpages.com

Students will be able to

CLO1: To understand and classify second order equations and find general solutions

CLO2: To analyse and solve wave equations in different polar coordinates

CLO3: To solve Vibrating string problem, Heat conduction problem, to identify and solve Laplace and beam equations

CLO4: To apply maximum and minimum principle's and solve Dirichlet, Neumann

problems for various boundary conditions

CLO5: To apply Green's function and solve Dirichlet, Laplace problems, to apply Helmholtz operation and to solve Higher dimensional problem.

			PSOs						
	1	2	3	4	5	6	1	2	3
CLO1	3	1	3	2	3	3	3	2	1
CLO2	2	1	3	1	3	3	3	2	1
CLO3	3	2	3	1	3	3	3	2	1
CLO4	1	2	3	2	3	3	3	2	1
CLO5	3	1	2	3	3	3	3	2	1

Title o Cours		COMPLEX	ANALYS	SIS					
Paper Numb		CORE VII							
Cate	Cor	YearIISemesterIII		Credits	5	Cou	urse		
gory	e					Coc	de	23P3MAC07	
Instru	ction	Lecture	Τι	utorial	Lab Pr	ractice	Tot	al	
al Hou	irs	5	1				6		
Per w	eek								
Pre-		UG level Cor	mplex Ana	alysis	I				
requis									
Objec	tives	U	careful tre	eatment of a	irgument	and lo	garith	ms and winding	
		numbers					11		
			•				•	power series	
			2	1	2			says analytic	
			are comple	ex amerentia		morpm	ic) Iui	nctions on an	
		open set.	size that	the subject	ic a ama	laamat	tion o	f ideas from	
		• To emphasize that the subject is a amalgamation of ideas from analysis, geometry and topology							
Cours	Δ		•	1 0	•				
Outlin	ie	Arguments Cauchy-Rien	on C *- L nann Equa	ogarithms ations	- Power	Series	and	and Continuity Analytic Function and 5.7 (15 Hrs)	
		UNIT-II : C	omplex In	ntegration: 1	ntegratio	on of fu	nctio	ns from R to	
		C - Path Inte	grals - M	L- inequality	- A Pre	view of	f Cau	chy Theory -	
		Cauchy The	ory: Cau	chy's Theor	rem for	Star-Sl	haped	Domains -	
		Applications	of Cauch	hy's Theore	em - An	Exten	sion	of Cauchy's	
		Theorem - G	reen's Th	eorem and	Cauchy's	s Theor	em.		
		Chapters	6 and 7.					(15 Hr	
	UNIT-III : Cauchy Integral Formula:Cauchy Integral Formula - Mean Value Property - Liouville's Theorem - Morera's Theorem - Identity Theorem - Maximum Modulus Theorem								
		Chapter 8						(15 Hrs	
UNIT-IV : Isolated Singularities and Laurent Series:Isolate Singularities - Laurent Series - Characterization of Singularities Meromorphic Functions - Winding Numbers of Closed Curves Winding Numbers -I - Residue Theorem and its Applications Residue Theorem - Arugument Principle.						ries:Isolated ingularities - osed Curves:			
		Chapters 9,1		-	-			(15 Hr	
		Chapters 9,1	v - Section	ii 10.1 only	anu 11			(15 Hr	

UNIT-V: Extended Complex Plane: Point at Infinity - Fractional
Linear Transformations - Functions on the Extended Plane - Real
Integrals: Improper Integrals - Evaluation of Real Integrals
- Summation of Infinite Series
Chapters 13: 13.1 - 13.3 and Chapter 15 (15 Hrs)
Total Hrs. 75 Hrs

Extended Professional Component (is a part of internal component only, Not to be included in the External Examination Question paper)	Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC – CSIR / GATE / TNPSC / others to be solved (To be discussed during the Tutorial hour)
Skills acquired from	Knowledge, Problem Solving, Analytical ability, Professional
this course	Competency, Professional Communication and Transferrable Skill
Recommended Text	S.Kumaresan, A Pathway to Complex Analysis, Techno world Publications, 2021.
Reference Books	 Bak, J., Newman and D.J, Complex Analysis, 3rd edition, Springer Nature, New York,2015. R. Priestely, Introduction to Complex Analysis, Oxford India, 2008. Theodore W. Gamelin, Complex Analysis, Springer Verlag, 2003. Lars V. Ahlfors, Complex Analysis, Third Ed. McGraw-Hill Book Company, Tokyo,2017. R.V. Churchill & J.W. Brown, Complex Variables and applications, 8th edition, McGraw-Hill, 2017. L.S. Hahn and B. Epstein, Classical Complex analysis, Jones and Barlett Student Edi-tion, 2011. J.B. Conway, Functions of One Complex Variable, Narosa, 2 edn., 2000. S. Ponnusamy and H. Silverman, Complex Variables with applications, Birkhauser,2006. Donald Sarason, Notes on Complex Function theory, Hindustan Book Agency, 1994. V. Karunakaran, Complex Analysis 2 edn, Narosa, New Delhi, 2005.
Website and	http://mathforum.org,http://ocw.mit.edu/ocwweb/Mathematics,
e-Learning Source	http://www.opensource.org,http://en.wikipedia.org

Students will be able to

- CLO1:Understand the complex number system from geometric view point. Will gain mastery in arguments on C* and logarithms and to Get expertise in the concept of convergence of sequences and series of complex numbers, continuity and differentiability of function on complex numbers. Also the students will be able to thoroughly understand and know the importance of power series in complex analysis.
- CLO2: Understand the central theme of Cauchy theory, viz., existence of local primitives and local power series expansion.
- CLO3:Get acquainted with various techniques of proving fundamental theorem of algebra, open mapping theorem, maximum modulus theorem and Liouville/s theorem.
- CLO4: Classify singularities, compute poles and residues and understand the Laurent series expansion.

٠	CLO5:Appreciate	and	work	on	the	topology	of	extended	complex	k plane	•

			PSOs						
	1	2	3	4	5	6	1	2	3
CLO1	3	1	3	2	3	3	3	2	1
CLO2	2	1	3	1	3	3	3	2	1
CLO3	3	2	3	1	3	3	3	2	1
CLO4	1	2	3	2	3	3	3	2	1
CLO5	3	1	2	3	3	3	3	2	1

Title of the	Course	TOPOLO	GY								
Paper Num	ber	CORE VIII									
Category	Core	Year	II	Credits	5	Course					
		Semester	III			Code	23P3MAC08				
Instruction	al Hours	Lecture	Lecture Tutorial I		Lal	o Practice	Total				
Per week		5		1			6				
							-				
Pre-requisit	te	Real Anal	vsis								
Objectives		•	·	gical spaces, con	ntinuo	ous function	s, connectedness,				
Course			-	ountability and s							
Course Out	tline	-		•	-		baces – Basis for				
			-		-		pology on X × Y				
				pology – Closed		-					
		-		1 07	(15 H	-					
		empre 2	• ~ • • •		(10 11						
		UNIT-II :	Cont	inuous function	s: Co	ntinuous fu	inctions – the				
		product to	polog	y – The metric t	opolo	gy.					
		Chapter2	Chapter2 :Sections 18 to 21(Omit Section 22) (15 Hrs)								
		UNIT-III: Connectedness: Connectedspaces- connected subspace									
		of the Real line – Components and local connectedness.									
		Chapter3 : Sections 23 to 25. (15 Hrs)									
		UNIT-IV :Compactness : Compact spaces – compact subspaces of									
		the Real line – Limit Point Compactness – Local Compactness.									
		Chapter3 : Sections 26 to 29. (15 Hrs)									
		UNIT-V: Countability and Separation Axiom: The Countability									
		Axioms –	The s	eparation Axion	ns - N	lormal spac	es – The Urysohn				
		Lemma–The Tietz extension theorem.(Except - The Urysohn									
		metrizatio	n The	orem)							
		Chapter4	: Sec	tions 30 to 35. ((15 H)	rs)					
		Total Hr	. 7	t Ura							
			5. 7.	J 1113							
Fytended Dr	ofessional	Questions	relat		a ton	cs from 1	arious competitiv				
Extended Pr		-		ed to the above	-		-				
Component	(is a	examination	ons U	ed to the above PSC / TRB / NE	-		-				
Component part of	(is a internal	examination / others to	ons U be so	ed to the above PSC / TRB / NE lved	ET / U	JGC – CSII	rarious competitiv R / GATE / TNPS				
Component part of component	(is a internal only,	examination / others to	ons U be so	ed to the above PSC / TRB / NE	ET / U	JGC – CSII	-				
Component part of component Not to be inc	(is a internal only, cluded in	examination / others to	ons U be so	ed to the above PSC / TRB / NE lved	ET / U	JGC – CSII	-				
Component part of component Not to be ind the	(is a internal only, cluded in External	examination / others to	ons U be so	ed to the above PSC / TRB / NE lved	ET / U	JGC – CSII	-				
Component part of component Not to be inc	(is a internal only, cluded in External	examination / others to	ons U be so	ed to the above PSC / TRB / NE lved	ET / U	JGC – CSII	-				

Skills acquired from	Knowledge, Problem Solving, Analytical ability,
this course	Professional
	Competency, Professional Communication and Transferrable Skill

Reference Books	 J.Dugundji, <i>Topology</i>, PrenticeHallof India, NewDelhi, 1975. GeorgeF. Sinmons, <i>IntroductiontoTopologyandModern Analysis</i>, 						
	McGraw HillBook Co., 1963						
	3. J.L.Kelly, <i>General Topology</i> , VanNostrand, Reinhold Co., New York						
	4. L.Steen and J.Subhash, Counter Examples in Topology, Holt, Rinehart and Winston, New York, 1970.						
	5. S.Willard, General Topology, Addison-Wesley, Mass., 1970						
Web site and	http://mathforum.org,http://ocw.mit.edu/ocwweb/Mathematics,						
e-Learning Source	http://www.opensource.org,http://en.wikipedia.org						
Recommended	JamesR. Munkres, <i>Topology</i> (2 nd Edition) Pearson Education Pve.						
Text	Ltd., Delhi-2002 (Third Indian Reprint)						

Students will be able to

CLO1: Define and illustrate the concept of topological spaces and the basic definitions of open sets, neighbourhood, interior, exterior, closure and their axioms for defining topological space.

CLO2: Understand continuity, compactness, connectedness, homeomorphism and topological properties.

CLO3: Analyze and apply the topological concepts in Functional Analysis.

CLO4: Ability to determine that a given point in a topological space is either a limit point or not for a given subset of a topological space.

CLO5: Develop qualitative tools to characterize connectedness, compactness, second countable, Hausdorff and develop tools to identify when two are equivalent (homeomorphic).

	POs							PSOs	
	1	2	3	4	5	6	1	2	3
CLO1	3	1	3	2	3	3	3	2	1
CLO2	2	1	3	1	3	3	3	2	1
CLO3	3	2	3	1	3	3	3	2	1
CLO4	1	2	3	2	3	3	3	2	1
CLO5	3	1	2	3	3	3	3	2	1

CODE IV	E FUNCTIONAL ANALYSIS								
CORE IX Year II Credits 5 Course									
Year	II		Credits	5	Course				
Semester	IV				Code	23P4MAC09			
Lecture		Tut	Tutorial		o Practice	Total			
5	5 1 6					6			
Elements	of Re	eal An	alysis						
results w applicatio • To s analysis,	 The idea behind the course is to emphasize very basic results which are needed foranalysts and to give typical applications. To study normed linear spaces, four pillars of functional analysis, weak topologies andduality, Hilbert space theory are the space of the space of the space space. 								
 UNIT-I: Normed Linear Spaces - Examples - Normed Linear Spaces as Metric Spaces - Banachspaces - Hilbert Spaces - Bounded Linear Maps. Chapter 1: 1.1-1.5. (15 Hrs) UNIT-II:Riesz Representation Theorem for Hilbert Spaces Finite Dimensional Spaces - Lo- cally Compact Normed Linear Spaces - Quotient Spaces. Chapter 1: 1.6-1.9. (15 Hrs) UNIT-III : Five Pillars of Functional Analysis: Hahn- Banach Theorem - Open Mapping Theo-rem - Bounded Inverse Theorem - Closed Graph Theorem - Uniform 									
 Chapter 2 except 2.5.1,2.6.1.4 & 2.6.1.5. (15 Hrs) UNIT-IV: General Results on Compact Operators - Compact self-adjoint operators on Hilbertspaces - Dual spaces - Adjoint operators - Hilert space adjoint. Chapter 3:3.1 & 3.4 and Chapter: 4.1-4.3. (15 Hrs) UNIT-V: Banach Algebras - Spectrum of an element in a Banach Algebra - Spectrum of somestandard operators Finite Dimensional spectral theorem. Chapter 5 and Chapter 6: 6.1. (15 Hrs) 									
	Semester Lecture 5 Elements • The results w application • To s analysis, algebra on UNIT-I : I Linear Sp Hilbert Sp Chapter 1 UNIT-II: Finite Di Linear Sp Chapter 1 UNIT-III Banach T Inverse TI Boundedn Chapter 2 UNIT-IV: Compact spaces - A Chapter 3 UNIT-V: a Banach	SemesterIVLecture5Elements of Rate• The idearesults whichapplications.• To studyanalysis, wealalgebra of boxUNIT-I : NorreLinear SpacesHilbert SpacesChapter 1: 1.1UNIT-II: RiesFinite DimentLinear SpacesChapter 1: 1.6UNIT-III : FivBanach TheoreInverse TheoreBoundedness IChapter 2 exceUNIT-IV: GerCompact self-spaces - AdjoxChapter 3:3.1UNIT-V: Banaa Banach Alge	SemesterIVLectureTute51Elements of Real Ana•The idea behinresults which are napplications.•To study normanalysis, weak topoalgebra of boundedUNIT-I : Normed LiLinear Spaces as MaHilbert Spaces - BoChapter 1: 1.1-1.5.UNIT-II:Riesz RepFinite DimensionalLinear Spaces - QuChapter 1: 1.6-1.9.UNIT-III : Five PillaBanach Theorem - QInverse Theorem - QInverse Theorem - QBoundedness PrincipChapter 2 except 2.5UNIT-IV: General RCompact self-adjoirspaces - Adjoint opChapter 3:3.1 & 3.4UNIT-V: Banach Aa Banach Algebra -	SemesterIVLectureTutorial51Elements of Real Analysis• The idea behind the courresults which are needed for a applications.• To study normed linear stanalysis, weak topologies and algebra of bounded linear opeUNIT-I : Normed Linear Spaces as Metric SpaceUNIT-I : Normed Linear SpaceLinear Spaces - Bounded Linear SpaceHilbert Spaces - Bounded Linear SpaceHilbert Spaces - Bounded Linear SpaceHilbert Spaces - Bounded Linear SpaceLinear Spaces - Bounded Linear SpaceLinear Spaces - Quotient SpaceChapter 1: 1.6-1.9.(15 HrsUNIT-III : Five Pillars of Fun Banach Theorem - Open Map Inverse Theorem - Closed Grap Boundedness Principle.Chapter 2 except 2.5.1,2.6.1.4UNIT-IV: General Results on Compact self-adjoint operators - F Chapter 3:3.1 & 3.4 and ChaptUNIT-V: Banach Algebras - S a Banach Algebra - Spectrum	SemesterIVLectureTutorial51Elements of Real Analysis•The idea behind the course is results which are needed foranalys applications.•To study normed linear spaces analysis, weak topologies and/ualit algebra of bounded linear operatorsUNIT-I : Normed Linear Spaces - B Hilbert Spaces - Bounded Linear M Chapter 1: 1.1-1.5.UNIT-II: Riesz Representation The Finite Dimensional Spaces - Lo- c Linear Spaces - Quotient Spaces.Chapter 1: 1.6-1.9.(15 Hrs)UNIT-III : Five Pillars of Functional Banach Theorem - Open Mapping Inverse Theorem - Closed Graph Th Boundedness Principle.Chapter 2 except 2.5.1,2.6.1.4 & 2.6 UNIT-IV: General Results on Comp Compact self-adjoint operators on F spaces - Adjoint operators - Hilert Chapter 3:3.1 & 3.4 and Chapter: 4.	SemesterIVCodeLectureTutorialLab Practice51Elements of Real Analysis•The idea behind the course is to emphase results which are needed foranalysts and to grapplications•To study normed linear spaces, four pillar analysis, weak topologies andduality, Hilbert ar algebra of bounded linear operatorsUNIT-I : Normed Linear Spaces - Examples - Linear Spaces as Metric Spaces - Banachspace Hilbert Spaces - Bounded Linear Maps. Chapter 1: 1.1-1.5UNIT-II:Riesz Representation Theorem for H Finite Dimensional Spaces - Lo- cally Comp Linear Spaces - Quotient Spaces. Chapter 1: 1.6-1.9UNIT-III: Five Pillars of Functional Analysis Banach Theorem - Open Mapping Theo-rem Inverse Theorem - Closed Graph Theorem - Un Boundedness Principle			

Extended Professional Component(is apart of internal componentonly, Not to be included in the External Examination question paper)	Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC – CSIR / GATE / TNPSC / others to be solved (To be discussed during the Tutorial hour)
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Skills acquired from	Knowledge, Problem Solving, Analytical ability,							
this course	Professional							
	Competency, Professional Communication and Transferrable Skill							
Recommended Text	S.Kumaresan and D.Sukumar, Functional Analysis A							
	irst course, Narosa Publishing House,2020.							
Reference Books	(1) B. Bollobas, Linear Analysis an introductory							
	course, 2nd edn, Cambridge MathematicalTexts,							
	Cambridge University Press, 1999.							
	(2) B.V. Limaye, Functional Analysis, Revised 3rd edn, New Age International, 2014.							
	(3) C. Goffman and G. Pedrick, A First Course in							
	Functional Analysis, AMS, Chelesea, 2017							
	(4) B. Rynne and M.A. Youngson, Linear Functional Analyis, Springer UMS, 2008							
	(5) E. Kreyszig, Introductory Functional Analysis with applications, John Wiley, 2007.							
	(6) S. Kesavan, Functional Analysis, Hindustan book agency, 2014.							
	(7) G.F.Simmons, Introduction to Topology and Modern Analysis, McGraw-Hill, 2017.							
	(8) M.Thamban Nair, Functional Analysis: A first course, Prentice Hall of India, 2002.							
	(9) K. Yosida, Functional Analysis, Springer-Verlag, 1995.							
Web site and	http://mathforum.org,http://ocw.mit.edu/ocwweb/Mathematics,							
e-Learning Source	http://www.opensource.org,http://en.wikiepedia.org							

Students will be able to

CLO1:Realize an important characterization: A normed linear space is locally compact if and only if it is finite dimensional.

CLO2:Gain mastery in basic Hilbert space theory: Projection theorem and Riesz representation theorem.

CLO3:Comprehend the important of five pillars of functional analysis namely Hahn-Banach theorems, open mapping theorem, bounded inverse theorem, closed graph theorem and uniform boundedness principle.

CLO4:Gain the Knowledge about Compact self-adjoint operators on Hilbertspaces **CLO5:**Study in detail the spectral properties of bounded linear operators.

	POs							PSOs		
	1	2	3	4	5	6	1	2	3	
CLO1	3	1	3	2	3	3	3	2	1	
CLO2	2	1	3	1	3	3	3	2	1	
CLO3	3	2	3	1	3	3	3	2	1	
CLO4	1	2	3	2	3	3	3	2	1	
CLO5	3	1	2	3	3	3	3	2	1	

Title of the Course	DIFFERENTIAL GEOMETRY							
Paper Number	CORE X							
Category Core	Year II	Credits	4	Course				
	Seme IV	7		Code	23P4MAC10			
	ster							
Instructional Hours	Lecture	Tutorial	Lat	Practice	Total			
Per week	4	1			5			
Pre-requisite	Linear Al	gebra concepts and	d Calc	ulus				
Objectives of the	This cour	se introduces space	e curv	es and their	n trinsic properties			
Course	ofa	_						
	Surface an	nd geodesics. Furtl	ner the	en on-intrins	sic properties of			
	surface ar	nd the differential g	geome	try of surfa	ces are explored			
Course Outline	UNIT-I :	Space curves: De	efinitio	on of a spac	e curve – Arc leng			
	- tangent	 normal and bino 	rmal –	- curvature	and torsion – conta			
	between	curves and surfa	ces- t	angent sur	face- involutes an			
	evolutes-	Intrinsic equation	s – Fi	undamental	Existence Theore			
	for space	curves- Helies.						
	Chapter I : Sections 1 to 9. (12 Hrs)							
	UNIT-II : Intrinsic properties of a surface: Definition of							
	surface – curves on a surface – Surface of revolution – Helicoids							
	– Metric- Direction coefficients – families of curves- Isometric							
		correspondence- Intrinsic properties.						
		I: Sections 1 to 9.						
				<i>,</i>	Canonical geodes			
					xistence Theorems			
	Geodesic parallels – Geodesics curvature- Gauss- Bonne Theorem – Gaussian curvature- surface of constant curvature.							
	ChapterII: Sections 10 to 18. (12 Hrs) UNIT-IV: Non Intrinsic properties of a surface:							
		-	-		urvature – Lines			
				-				
	curvature – Developable - Developable associated with space							
	curves and with curves on surface - Minimal surfaces – Ruled							
	surfaces.							
	ChapterIII:Sections 1 o 8. (12 Hrs)							
	UNIT-V: Differential Geometry of Surfaces:							
	Compact surfaces whose points are umblics- Hilbert's lemma -							
	Compact surface of constant curvature – Complete surface and							
	their characterization – Hilbert's Theorem – Conjugate points or							
	geodesics.							
	ChapterIV:Sections 1 to 8 (Omit 9 to 15). (12 Hrs)							
	Total Hr	s: 60 Hrs						

Extended Professional	Questions related to the above topics, from various competitive
Component(is apart of	examinations UPSC / TRB / NET / UGC - CSIR / GATE /
internal	TNPSC / others to be solved
Component only, Not to	(To be discussed during the Tutorial hour)
be included in the	
External Examination	
Question paper)	

Skills acquired from	Knowledge, Problem Solving, Analytical ability,							
this course	Professional							
	Competency, Professional Communication and Transferrable Skill							
Recommended	T.J.Willmore, An Introduction to Differential Geometry, Oxford							
Text	University Press,(17thImpression)New Delhi2002.(Indian Print)							
Reference Books	2. Struik, D.T. Lectureson Classical Differential Geometry, Addison-							
	Wesley, Mass. 1950.							
	3. Kobayashi.S. and Nomizu .K. Foundations of Differential							
	Geometry, Inter science Publishers, 1963.							
	4. Wilhelm Klingenberg: A course in Differential Geometry, Graduate							
	Texts in Mathematics, Springer- Verlag 1978.							
	5. J.A. Thorpe Elementary topics in Differential Geometry, Under-							
	Graduate Texts in Mathematics, Springer-Verlag1979.							
Website and	http://mathforum.org,http://ocw.mit.edu/ocwweb/Mathematics,							
e-Learning Source	http://www.opensource.org,www.physicsforum.com							

Students will be able to

CLO1:Explain space curves, Curves between surfaces, metrics on a surface, fundamental form of a surface and Geodesics.

CLO2: Evaluate these concepts with related examples.

CLO3:Compose problems on geodesics.

CLO4:Recognize applicability of developable.

CLO5:Construct and analyze the problems on curvature and minimal surfaces

		POs							
	1	2	3	4	5	6	1	2	3
CLO1	3	1	3	2	3	3	3	2	1
CLO2	2	1	3	1	3	3	3	2	1
CLO3	3	2	3	1	3	3	3	2	1
CLO4	1	2	3	2	3	3	3	2	1
CLO5	3	1	2	3	3	3	3	2	1

Title of the Course	MEASU	RE T	HEO	RY AND IN	NTEG	RATION			
Paper Number	CORE X	I							
Category Core	Year	II		Credits	4	Course			
	Semester	IV				Code	23P4MAC11		
Instructional Hours	Lecture	1	Tut	orial	Lab Practice		Total		
Per week	5		1				6		
Pre-requisite	Elements of Real Analysis								
Objectives of the	• To 1	orovi	de a co	oncrete setti	ing of	Lebesgue			
Course	-	• To provide a concrete setting of Lebesgue measure and Lebesgue integral via the classical							
	concepts	of J	ordan	measure an	nd the	Riemann	l		
	integratio	on.							
	• To g	give a	an exp	ert and tho	rough	study on			
	abstract 1	neası	uresa a	and the mod	lern ir	ntegationth	neory		
	including	the	standa	rd converge	ence tl	heorems.			
	• To i	introc	duce p	roduct mea	sure a	and study	the Fubini's		
	theorem.								
Course Outline	Unit-I. N	leasu	re on l	R: - outer m	easure	e - measura	able sets -		
	Unit-I. Measure on R: - outer measure - measurable sets - Regularity- abstract Measures - elementary properties of								
	abstract m					511			
	Chapter 2 - Section 2.1 to2.3 from [1] and								
	-						[0] (1)		
	Chapter 1 - pages 5 -19 (till the end of 1.22) from [2]. (12 Hrs)								
		-		of positive f The role play		-	ation of easure zero.		
	Chapter 1 - pages 19 -31 from [2]. (12 Hrs)								
	Unit-III. Measurability on cartesian products - Product Measure- The Fubini's theorem - Completion of Product measures- convolutions.								
	Chapter 8	- pag	es 160	-171from [2	2].	(12 H	rs)		
	Unit-IV. Lp spaces: - convex function and inqualities - completeness of Lp spaces .								
	Chapter 3 - pages 61 -71 from [2]. (12 Hrs)								
	Unit-V. Signed Measures - Hahn Decomposition - Jordan Decomposition - Radon Nikodym theorem.								
	-		ons 8.	1 -8.3 from	[1].	((12 Hrs)		
	Total Hrs	s: 60	Hrs						

Skills acquired from this course	Knowledge, Problem Solving, Analytical ability, Professional Competency, Professional Communication and Transferrable
	Skill
Recommended Text	(1) G. de Barra, Measure Theory And Integration, NewAge International Pvt.Ltd, 2013.
	(2) W. Rudin, Real and Complex Analysis 3edn, McGraw-Hill, 2017.
Reference Books	 J R.G. Bartle, Elements of Integration and Lebesgue measure, Wiley India Ltd, 2014. C.D. Aliprantis and O.Burkinshaw, Priniciples of Real Analysis 3rd edn, AcademicPress, Inc. New York, 1998. I.K.Rana, An Introduction to Measure and Integration, 2edn ,Narosa Publishing House, NewDelhi, 2007. H.L.Royden, Real Analysis, Pearson, Third edition, 2015. R.G. Bartle, Modern theory of integration, AMS, 2000.
Web site and	http://mathforum.org,http://ocw.mit.edu/ocwweb/Mathematics,
e-Learning Source	http://www.opensource.org,http://en.wikiepedia.org

Students will be able to

- CLO1: Understand the concept of Caratheodory construction of a measure from an outer measure in the concrete cases.
- CLO2: Appreciate the power of Riemann integration and its drawbacks. They will be able tocapture the need for the modern integration theory.
- CLO3: Understand the proof and apply Fubini's theorem in various cases.
- CLO4: Prove the completeness of Lp spaces.
- CLO5: Comprehend the idea of Hahn and Jordan decomposition and Radon nikodym theorems.

			PSOs						
	1	2	3	4	5	6	1	2	3
CLO1	3	1	3	2	3	3	3	2	1
CLO2	2	1	3	1	3	3	3	2	1
CLO3	3	2	3	1	3	3	3	2	1
CLO4	1	2	3	2	3	3	3	2	1
CLO5	3	1	2	3	3	3	3	2	1

Title of the Course		e PROJE	PROJECT WITH VIVA VOCE									
Paper Nu	mber	CORE	CORE									
Category	Core	Year	II		Credits		Cou		23P4MAPR01			
		Semester	IV			Cod		le				
Instructio Hours	Instructional		Lecture 4		Tutorial		Lab Practice		Total			
perweek		4						4				
Pre-requisite		UG Leve	el Ma	them	atics							

DISCIPLINE SPECIFIC ELECTIVE COURSES:

Title Course	of the	NUME	HY									
Paper	Number	Electiv	Elective									
Cate	Core	Year	Ι	Credits	3	Cour		23P1MADE01				
gory		Seme ster	Ι			Code						
Instru	ctional	Lectur		Tutorial	Lab	1	Te	otal				
Hours		e			Prac	tice						
per we	ek	3		1			4					
Pre-re	quisite	UG lev	el Nu	umber Theroy.								
		develop theorer 2. Illus number theory 3. To e cryptog and me 4. To it modula theory.	 theory, and to use this as a context in which to discuss the development of mathematics through examples, conjectures theorems, proofs and applications. 2. Illustrate different methods of proof in the context of elementary number theory, and will apply some basic techniques of number theory to cryptography. 3. To explore the working principles and utilities of various cryptographic algorithms including secret key cryptography, hashes and message digests, and public key algorithms. 4. To introduce classical encryption techniques and concepts of modular arithmetic and number theory 									
Course OutlineUNIT I : Divisibility and Euclidean algorithm – Congrue Euler's Theorem, Wilson's Theorem, Chinese Remainder Theorem, Primitive roots - Applicatio Factoring. Chapter 1, Sections 1.1-1.4 (9 Hrs)UNIT II: Finite Fields – Quadratic Residues – Quadratic Recip – The Jacobi symbol. Chapter 2, Sections 2.1-2.2 (9 Hrs)							ots - Applications to					
Key Cryptography – Concepts of Public Key Cryp Modular Arithmetic – RSA. Chapters 3&4, Sections 3.1-3.2, 4.1-4.2 (9 Hrs)								e Key Cryptography –				
UNIT IV: Pseudo primes and Strong Pseudo primes – rho method – Fermat factorization and factor bases Algorithm – The Continued fraction method and Algorithm. Chapter 5, Sections 5.1-5.4 (9 Hrs)												

	UNIT V: Elliptic Curves – Basic Facts, Elliptic curves Cryptosystems. Chapter 6, Sections 6.1-6.2 (9 Hrs)					
Total Hours	45 Hrs					
Extended Professional Component (is a part of internal component only, Not to be included in the External Examination question paper)	Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC – CSIR / GATE / TNPSC / others to be solved (To be discussed during the Tutorial hour)					
Skills acquired from this course	Knowledge, Problem Solving, Analytical ability, Professional Competency, Professional Communication and Transferrable Skill					
Recommended Text	"A Course in Number Theory and Cryptography" by Neal Koblitz, , Springer – Verlag, New York, 1987.					
Reference Books	"An Introduction to Theory of Numbers" by Ivan Nivan and Herberts Zucherman, Third Edition, 1972, Wiley Eastern Limited, New Delhi					
	"Introduction to Analytic Number Theory" by Tom Apostol, Narosa Publications, New Delhi					
	"Elementary Number Theory" by David M. Burton, Wm. C. Brown Publishers, Dubuque, Lowa, 1989.					
	"Cryptography and Network Security Principles and Practice" by William Stallings, Prentice Hall, Fifth Edition, New Delhi, 2011.					
Website and e-Learning Source	https://www.youtube.com/watch?v=SCvtxjpVQms https://www.youtube.com/watch?v=pBELpoglnvQ&list=PLgMDNE LGJ1CbdGLyn7OrVAP-IKg-0q2U2					

Title of th	e Course	MATHEMATIC	CAL P	ROGRAM	MING					
Paper Nu	mber	ELECTIVE								
Category	Elective	Year	Ι	Credits	3	Co	urse	23P1MADE02		
		Semester	Ι			Co	de			
Instructio	nal	Lecture	Tut	torial	Lab Prac	ctice	То	tal		
Hours		3	1				4			
per week Objective	a o f	This course intro	111000	advanced to	niag in Lin	<u></u>	l nd no	n lincor		
Objective			iuces	auvanceu u	spies in Lin	cal al	iu no	II-IIICal		
C	the	Programming								
Course	412							CT /		
Course O	utline	UNIT-I INTEG					-			
		Linear Programm	-		-		-	=		
		-	-			-		I Integer Cutting		
		Plane method -						0		
		Programming. D	-	_	-			-		
		Programming Problem - Developing Optimal Decision Policy - Dynamic								
		Programming Under Certainty - DP approach to solve LPP.								
		Chapter-7: 7.1 - 7.7 Chapter-20: 20.1 - 20.5 (9 Hrs)								
		UNIT-II CLASSICAL OPTIMIZATION METHODS:								
		Unconstrained Optimization - Constrained Multi-variable Optimization								
		with Equality Constraints - Constrained Multi-variable Optimization with inequality Constraints Non-linear Programming Methods: Examples								
		·			U		•	-		
				-				tic Programming		
		- Wolfe's modified Simplex Methods - Beale's Method								
		Chapter-23: 23.1 - 23.4 Chapter-24: 24.1 - 24.4 (9 Hrs)								
		UNIT-III THEORY OF SIMPLEX METHOD: Canonical and								
		Standard form of LP - Slack and Surplus Variables - Reduction of any Feasible solution to a Basic Feasible solution - Alternative Optimal								
								1		
		solution - Unb			-	•				
		complications and			-	acy ar	1d Its	resolution.		
		Chapter-25: 25.1 UNIT-IV REV				00.	Stor	dard forms for		
		Revised simplex Method - Computational procedure for Standard formI -								
		comparison of simplex method and Revised simplex Method. Bounded								
		Variables LP problem: The simplex algorithm								
		Chapter-26: 26.1 - 26.4 Chapter-28: 28.1, 28.2 (9 Hrs)								

	 UNIT-V PARAMETRIC LINEAR PROGRAMMING: Variation in the coefficients cj , Variations in the Right hand side, bi . Goal Programming: Difference between LP and GP approach - Concept of Goal Programming - Goal Programming Model formulation - Graphical Solution Method of Goal Programming - Modified Simplex method of Goal Programming. Chapter-29: 29.1 - 29.3 (9 Hrs) Total Hrs: 45 Hrs
Extended	Questions related to the above topics, from various competitive
Professional	examinationsUPSC / TNPSC / others to be solved
Component	(To be discussed during the Tutorial hour)
Skills acquired from	Knowledge, Problem Solving, Analytical ability, Professional
this course	Competency, Professional Communication and Transferrable Skill

Recommended Text	1.J.K.Sharma, Operations Research, Theory and Applications, Third							
	Edition (2007) Macmillan India Ltd.							
Reference Books	1.Hamdy A. Taha, Operations Research, (seventh edition) Prentice -							
	Hall of India Private Limited, New Delhi, 1997.							
	2.F.S. Hillier & J.Lieberman Introduction to Operation Research (7th							
	Edition) TataMcGraw Hill ompany, New Delhi, 2001.							
	3. Beightler. C, D.Phillips, B. Wilde ,Foundations of Optimization(2nd							
	Edition) Prentice Hall Pvt Ltd., New York, 1979							
	4.S.S. Rao - Optimization Theory and Applications, Wiley Eastern							
	Ltd. New Delhi. 1990							
Website and	http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics,							
e-Learning Source	http://www.opensource.org, www.mathpages.com							

			H	PSOs					
	1	2	3 4 5 6					2	3
CLO1	3	3	3	3	3	3	3	3	3
CLO2	3	2	2	1	2	2	3	2	3
CLO3	3	3	3	2	3	3	3	3	3
CLO4	3	1	3	3	3	3	3	2	3
CLO5	3	2	3	3	3	3	3	3	3

Programme code	M.Sc	Programme Title	Master of Science (Mathematics)				
Course Code	23P2MADE03	Title	Batch	2023-2025			
		ELECTIVE :MATHEMATICAL	Semester	II			
Hrs/Week	4	METHODS	Credits	03			

CO Number	CO Statement	Knowledge Level
CO1	To understand the concepts of Variational problems.	K2
CO2	To gain knowledge about Variational Problem.	K3, K4
CO3	To understand various types of integral equation.	K1,K2
CO4	To analyze the Fredholm integral equations.	K4
CO5	To Evaluate Gram Schmit orthogonlization process and Solution of Fredholm integral equation of first kind.	K5,K6

UNIT – I: Variational problems with fixed boundaries

The concept of variation and its properties- Euler's equation- Variational problems for Functionals-Functionals dependent on higher order derivatives – Functions of several independent variables – Some applications to problems of Mechanics.

Chapter- 1 (Sec 1.1- 1.7)

UNIT – II : Variational problems with moving boundaries (9 Hrs)

Movable boundary for a functional dependent on two functions – one-side variations – Reflectionand Refraction of extermals – Diffraction of light rays. Chapter – 2 (Sec 2.1 - 2.5)

UNIT – III : Integral Equation

Introduction – Types of Kernels – Eigen Values and Eigen Functions – Connection with differential equation – Solution of an integral equation – Initial value problems – Boundary value problems.

Chapter - 1(Sec 1.1 - 1.3 & 1.5 - 1.8)

(9 Hrs)

UNIT – IV : Solution of Fredholm integral equation

(9 Hrs)

Second kind with separable kernel – Orthogonality and reality eigen function - Fredholm integral equation with separable kernel - Solution of Fredholm integral equation by successive substitution – Successive approximation – Volterra integral equation - Solution of successive substitution . Chapter – 2 (Sec 2.1 - 2.3), Chapter – 4 (Sec 4.1 - 4.5)

UNIT – V : Hilbert – Schmidt Theory

(9 Hrs)

Complex Hilbert Space – Orthogonal system of functions – Gram Schmit orthogonlization process - Hilbert – Schmidt Theorem - Solution of Fredholm integral equation of first kind. Chapter – 3(Sec 3.1 - 3.4, 3.8 - 3.9)

TOTAL : 45 Hours

Power point Presentations, Seminar & Assignment

TEXT BOOKS:

1. **A.S. Gupta**, *Calculus of Variations with Application*, Prentice Hall of India, New Delhi, 2005.

2. Sudir K.Pundir and Rimple Pundir, Integral Equations and Boundary Value Problems, Pragati

Prakasam, Meerut, 2005.

REFERENCE BOOKS:

1. F.B.Hildebrand, *Methods of Applied Mathematics*, Prentice Hall of India Pvt. New Delhi, 1968.

2. R.P.Kanwal, *Linear Integral Equations-Theory and Techniques*, Academic Press, New York, 1971.

3. L.Elsgolts, *Differential Equations and Calculus of Variations*, Mir Publishers, Moscow, 1973.

Sadri Hassani, Mathematical Methods, pub 2009.

ONLINE SOURCES:

1. http://physics.bgu.ac.il/~gedalin/Teaching/Master/mmp.pdf

2. http://home.iitk.ac.in/~dasgupta/Mathbook/Imastertrans.pdf

PO CQ	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PO8	PO9	PO10	PO 11	PO 12	PO1 3	PO 14	РО 15
CO1	S	М	L	S	S	L	М	L	S	L	S	L	L	L	S
CO2	S	S	М	М	S	М	L	S	М	L	S	М	М	S	М
CO3	S	L	S	S	М	L	S	М	S	М	S	М	М	М	S
CO4	S	L	S	М	М	L	L	М	М	L	М	L	L	L	S
CO5	S	М	L	S	S	S	S	М	S	М	L	S	М	М	М

Mapping with Programme Outcomes

S - Strong; M - Medium; L – Low

Programme code	M.Sc	Programme Title	Master of Science (Mathematics)			
Course Code	23P2MADE04	Title	Batch	2023-2025		
		ELECTIVE:	Semester	II		
Hrs/Week	5	DISCRETE MATHEMATICS	Credits	03		

СО	CO Statement	Knowledge
Number		Level
CO1	To Remember the basic ideas of foundations and logic.	K1, K2
CO2	To Gain knowledge about Permutations and Combinations	K4
CO3	Demonstrate the concept of Generating functions.	K2
CO4	To analyze the Boolean Functions and Logic gates.	K1,K2, K5
CO5	To Evaluate the theory of Modeling Computation .	K3,K6

UNIT-I: The Foundations - Logic and proofs

Propositional – Applications of Propositional – Propositional Equivalences – Predicates and Quantifiers. Algorithms : The Growth of functions.

Chapter - 1 (Sec 1.1 - 1.3), Chapter - 3 (Sec 3.1 - 3.2)

UNIT-II: Counting

The Basics of Counting – The Pigeonhole principle – Permutations and Combinations –Generalized Permutations and Combinations – Generating Permutations and Combinations.

Chapter - 5 (Sec 5.1 – 5.3, Sec 5.5, 5.6)

UNIT-III: Advanced Counting Techniques

Recurrence Relations - Solving Linear Recurrence Relations - Generating Functions. Chapter - 6

(Sec 6.1, 6.2, 6.4)

UNIT-IV: Boolean Algebra :

Boolean Functions – Representing Boolean Functions – Logic Gates – Minimization of Circuits.

Chapter - 10(Sec 10.1 - 10.4)

(9Hrs)

(9 Hrs)

(9Hrs)

UNIT-V: Modeling Computation

(9 Hrs)

Finite - State machines with Output - Finite - State machines with no Output - Turing Machines.

Chapter - 12(Sec 12.2, 12.3, 12.5)

TOTAL :

45 Hours

Power point Presentations, Seminar & Assignment

TEXT BOOK :

Kenneth H.Rosen, *Discrete Mathematics and its Applications*, 7th Edition, WCB/McGraw Hill Education, New York, 2008.

REFERENCE BOOKS :

1. J.P.Trembley and R.Manohar, *Discrete Mathematical Structures applications to Computer Science*, Tata McGraw Hills, New Delhi, 2013.

2. T.Veerarajan, *Discrete Mathematics with Graph Theory and Combinatorics*, Tata McGraw HillsPublishing Company Limited, 7th Reprint, 2008.

3. Prof. V.Sundaresan, K.S. Ganapathy Subramaniyan, K.Ganesan, *Discrete Matheamtics*, Tata McGraw Hill, New Delhi, 2000.

ONLINE SOURCES:

1. www.freebook centre.net/

2. www.maths for college.com/nm/topics/text book

Mapping with Programme Outcomes

PO															
	PO	PO	PO	РО	РО	PO	РО	РО	РО	PO1	Р	Р	Р	Р	Р
СО	1	2	3	4	5	6	7	8	9	0	0	0	0	0	0
co											11	12	13	14	15
CO1	S	М	S	S	М	L	М	L	Μ	L	S	L	L	L	S
000	9	T	<u> </u>			T	т			T		T	Ŧ	T	
CO2	S	L	S	М	М	L	L	М	М	L	Μ	L	L	L	S
CO3	S	М	L	S	S	L	М	L	S	L	S	L	L	L	S
CO4	S	М	S	S	S	М	S	М	S	L	S	Μ	Μ	L	S
CO5	L	L	S	М	S	М	L	S	М	М	L	L	L	L	S

S - Strong; M - Medium; L – Low

Title Course	of the	NUMBER THEORY Elective								
Paper N	umber									
Categ ory	Electiv e	Year Semeste r	I				Course Code	23P1MADE05		
Instructional Hours		Lecture	al	utori	Lab Practi	ce	Total			
per weel Pre-req		-	415UG level Number Theroy.							
Objectives of the Course1. To introduce students to some of the basic ideas of m theory, and to use this as a context in which to discus development of mathematics through examples, conject theorems, proofs and applications. 2. Illustrate different methods of proof in the context of elementary number theory, and will apply some basic techn of number theory 3. To explore the working principles and utilities of vario cryptographic algorithms including secret key cryptography hashes and message digests, and public key algorithms. 4. To introduce classical encryption techniques and concept modular arithmetic and number theory.						h to discuss the les, conjectures, ntext of basic techniques es of various ryptography, rithms.				
Course	Outline	 UNIT I : Divisibility Introduction - Divisibility-Primes – The Binomial theorem. Chapter - 1(Sec 1.1. – 1.4) (9 Hrs) UNIT II: Congruence's Congruence's-Solutions of congruence's – The Chinese remainder theorem – Prime power moduli –Prime modulus. Chapter - 2(Sec 2.1. – 2.7) (9 Hrs) 								

	UNIT III: Quadratic reciprocity
	Quadratic residues - Quadratic reciprocity - The Jacobi symbol -
	Binary Quadratic forms.
	Chapter - 3(Sec 3.1. – 3.4) (9 Hrs)
-	UNIT IV: Some functions of Number theory
	Greatest integer function - Arithmetic functions - The Mobius inversion formula- The Recurrence functions.
	Chapter -4 (Sec 4.1. -4.4) (9 Hrs)
	UNIT V: Some Diaphantine equations and farey fractions
	The equation ax+by= c – farey sequences – Rational approximations – Irrational numbers.
	Chapter- 5 (Sec 5.1), Chapter - 6 (Sec 6.1 – 6.3) (9 Hrs)
Total Hrs	45 Hrs
Extended Professional Component (is a part of internal component only,	Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC – CSIR / GATE TNPSC / others to be solved (To be discussed during the Tutorial hour)
Not to be included in the External Examination question paper)	
Not to be included in the External Examination	
Not to be included in the External Examination question paper) Skills acquired	Knowledge, Problem Solving, Analytical ability, Professiona Competency, Professional Communication and Transferrabl Skill Ivan Niven and H.S. Zuckerman, An Introduction to the Theory of Numbers, 3rd edition, Wiley Eastern Ltd, New Delhi, 1989.

	K. Ireland and M.Rosen, A Classical Introduction to Modern Number Theory, Springer Verlag, New York, 1972.
	T.M. Apostol, Introduction to Analytic Number Theory, Narosa Publication, House, Chennai, 1980.
	Elementary Number Theory, Seventh Edition, MC Graw-Hill Companies, 2015.
Website and e-Learning Source	https://www.youtube.com/watch?v=SCvtxjpVQmshttps://www.youtube.com/watch?v=pBELpoglnvQ&list=PLgMDNELGJ1CbdGLyn7OrVAP-IKg-0q2U2

Students will be able

CLO1:To remember the basic ideas about Integers, Primes, Quadratic Residues.

CLO2: To Understand the concepts of Congruence's and Solutions of congruence's

CLO3: To demonstrate and understanding of Quadratic residues

CLO4:To analyze the Mobius inversion formula.

CLO5: To Evaluate Diaphantine equations and farey fractions

PO CO	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PO8	PO9	PO10	PO 11	PO 12	PO 13	PO 14	РО 15
CO1	S	М	М	S	S	М	L	М	L	L	М	L	L	М	S
CO2	М	М	S	S	S	S	S	L	М	L	L	S	М	L	S
CO3	М	М	S	S	S	S	М	L	L	L	S	М	S	S	S
CO4	S	М	S	S	S	М	М	S	М	L	L	L	М	М	S
CO5	S	М	М	S	S	М	L	М	L	L	М	L	L	М	S

Mapping with Programme Outcomes

S - Strong; M - Medium; L - Low

Programme code	M.Sc	Programme Title	Master of Science (Mathematics)			
Course Code	23P1MADE06	Title	Batch	2023-25		
		ELECTIVE :FUZZY SETS	Semester	Ι		
Hrs/Week	4	AND THEIRAPPLICATIONS	Credits	3		

CO Number	CO Statement	Knowledge Level
CO1	To understand the basic concepts of fuzzy sets.	K1, K2
	To know about fuzzy complements and	
CO2	intersections.	K2, K3
СОЗ	To apply the idea about linguistic variables.	K3, K4
CO4	To analyze the binary relations of fuzzy.	K4
CO5	To Evaluate ranking methods.	K5

UNIT-I: From Classical Sets To Fuzzy Sets , Fuzzy Sets Verses Crisp Sets (9 Hrs) Fuzzy sets : Basic types – Fuzzy sets : Basic Concepts – Additional Properties – cuts – ExtensionPrinciple for fuzzy sets. Chapter 1(Sec: 1.3, 1.4), Chapter 2(Sec:2.1, 2.3)

UNIT-II: Operations On Fuzzy Sets

Types of operations – Fuzzy complements- Fuzzy Intersections : t – Norms – Fuzzy Unions –conforms- Combinations of Operations. Chapter 3(Sec: 3.1-3.5)

UNIT-III: Fuzzy Arithmetic

Fuzzy Numbers – Linguistic Variables – Arithmetic Operations On Intervals – Arithmetic Operations On Fuzzy Numbers. Chapter 4(Sec: 4.1- 4.4)

UNIT-IV: Fuzzy Relations

Binary Fuzzy Relations- Binary Relations On A Single Set –Fuzzy Equivalene Relations-FuzzyCompatibility Relations- Fuzzy Ordering Relations-Fuzzy Morphisms. Chapter 5 (Sec: 5.3-5.8)

UNIT-V : Fuzzy decision making

Individual Decision Making- Muliti person Decision Making- Ranking Methods- Fuzzy Linear

Programming. Chapter 15 (Sec: 15.2, 15.3, 15.6, 15.7)

TOTAL: 45 Hours

(9 Hrs)

(9 Hrs)

(9 Hrs)

Power point Presentations, Seminar, Quiz, Assignment

TEXT BOOK:

George J.klir and Bo Yuan, *Fuzzy Sets and Fuzzy Logic Theory and Applications*, Prentice Hall of India, (2005).

REFERENCE BOOKS:

- 1. H.J.Zimmermann, Fuzzy set theory and its applications, Allied publishers limited (1991).
- 2. M.Ganesh, Introduction to Fuzzy sets and Fuzzy logic, Prentice Hall of India , New Delhi, 2006.

ONLINE SOURCES:

- www.ejournal.com
- <u>www.ebook.com</u>
- <u>www.freebookcentre.net</u>

Mapping with Programme Outcomes

PO CO	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PO8	PO9	PO10	PO 11	PO 12	PO 13	РО 14	РО 15
CO1	М	М	S	S	S	S	М	М	L	S	S	М	М	S	S
CO2	М	М	S	S	S	М	S	М	М	L	М	М	М	М	S
CO3	S	М	S	S	S	М	М	S	М	L	L	L	М	М	S
CO4	М	М	S	S	S	S	S	L	М	L	L	S	М	L	S
CO5	S	М	S	S	S	S	М	S	М	L	S	М	М	М	S

S - Strong; M - Medium; L - Low

6	1	5	

Programme code	M.Sc	Programme Title	Master of Sc (Mathematic	
Course Code	23P2MADE14	Title	Batch	2023-25
		MECHANICS	Semester	II
Hrs/Week	6		Credits	03
		Course Outcomes(CO)		
CO	CO Statement		Knowledge	Level

CO	CO Statement	Knowledge Level
Number		_
CO1	Remember the concepts of Energy and momentum.	K1,K2
CO2	Understand the concept of Lagrange's Equations.	K2
CO3	Analyze Hamilton's Principle.	K4
CO4	Apply the concept of Hamilton Principle Function.	K3,K4
CO5	To gain knowledge about Differential forms and Generating Functions.	K2,K3

Unit-I:

Introductory concepts: The Mechanical system-Generalized coordinates -Constraints - Virtual work - Energy and Momentum.

Chapter-1(Sec1.1-1.5)

Programme

M.Sc

Unit-II:

Lagrange'sEquations:DerivationofLagrange'sEquations-Examples-Integralsofthemotion.

Chapter-2(Sec2.1-2.3) Unit -III:

Hamilton'sEquations:Hamilton'sPrinciple-Hamilton'sEquations-Othervariationalprinciples.

Chapter-4(Sec4.1–4.3) **Unit-IV:**

Hamilton-Jacobi Theory: Hamilton Principle Function-Hamilton-Jacobi Equation- Separability.

Chapter-5(Sec5.1–5.3)
Unit-V :

CanonicalTransformation-DifferentialformsandGeneratingFunctions-SpecialTransformations-Lagrange and Poisson Brackets. Chapter-6(Sec6.1-6.3)

TOTAL: 60Hours

Power point Presentations, Seminar & Assignment

(9 Hrs)

Master of Science

(9 Hrs)

(9 Hrs)

(9 Hrs)

TEXTBOOK:

D.T.Greenwood,"Classical Dynamics", Dover Publication, NewYork, 1977.

REFERENCEBOOKS:

1. H.Goldstein, "Classical Mechanics", 2ndEdition, NarosaPublishingHouse, NewDelhi.

2. R.D.Gregory, "Classical Mechanics", Cambridge University Press, 2006

3. F.Gantmacher, Lecturesin Analytic Mechanics, MIRPublilshers, MOSCOW, 1975.

4. I.M.Gelfand and S.V.Fomin, Calculus of Variations, Prenticehall.

5.S.L.Loney, An Elementary Treatise on Staics, Kalyani Publishers, NewDelhi.

ONLINESOURCES:

- 1. <u>https://www.britannica.com/science/mechanics</u>
- 2. <u>https://www.physics.upenn.edu</u>
- 3. <u>www.khanacademy.org</u>

Mapping with Programme Outcomes

PO CO	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PO8	PO9	PO10	PO 11	PO 12	PO 13	PO 14	PO 15
CO1	S	М	S	S	М	L	М	L	М	L	S	L	L	L	S
CO2	S	S	М	М	S	М	L	S	М	L	S	М	М	S	М
CO3	S	М	L	S	S	L	М	L	S	L	S	L	L	L	S
CO4	S	L	S	М	М	L	L	М	М	L	М	L	L	L	S
CO5	S	М	S	S	S	S	М	S	М	L	S	М	М	М	S

S-Strong;M-Medium; L-Low

	Course	MATHEMATI	CAL S	STATISTI	C ANALY	SIS					
Paper Num		ELECTIVE									
Category	Elective	Year	II	Credits	3	Cour		23P3MADE08			
		Semester	III			Code					
Instructional Hours		Lecture	Tutorial		LabPrac	tice	Total				
Per week		4	1				5				
Objectives	of the	UG level Mathe	ematica	l Statistics	•						
Course											
Course Out	tline	UnitI Probabil	ity an	d Randon	n Variable	s: Proba	ıbili	ty – Axioms –			
		Combinatorics, Probability on finite sample spaces - Conditional									
		probability and Baye's theorem - Independence of events - Random									
		variables- Probabilitydistributionofa randomvariable - Discreteand									
		continuous random variables – Function of a random									
		variable.(Chapter 1: Sections 1.3 to 1.6 and Chapter 2: Sections 2.2 to									
		2.5) (9 Hrs)									
		Unit II Mom	ents	and Gene	erating Fu	inctions	: 1	Aoments of a			
		distribution fu			U						
					U			some moment			
		inequalities. (Ch	napter	3: Sections	3.2 to 3.4)	(9 Hrs	5)				
		Unit III Multij	nle Ra	ndom Va	riables: M	ultiple r	and	om variables –			
		Independentrandomvariables–Functionsofseveralrandomvariables.									
		(Chapter 4: Sect	tions 4	.2 to 4.4) (9 Hrs)						
		Unit IV Multiple Random Variables (Contd.): Covariance,									
		Correlation and	mom	ents – Con	ditional ex	pectatio	n –	Some discrete			
		distributions – Some continuous distributions. (Chapter 4: Sections 4.5									
		and 4.6 and Chapter 5: Sections 5.2 to 5.3) (9 Hrs)									
			ipier 5	. Sections .	5.2 10 5.5)	(9 111 5)					
		UnitVLimit Th	neoren	ns: Modes	of converg	gence –	Wea	k law of large			
		numbers – Strong law of large numbers – Central limit theorems.									
		(Chapter 6: Sections 6.2 to 6.4 and 6.6) (9 Hrs)									
				. <u>~</u> 10 0.7 dl							
		Total Hrs: 45 Hrs									
Extended	Professional	Questionsrelated	dtothea	abovetopic	s,fromvario	ouscomp	etiti	ve			
Component		examinations U		-		-					
		(Tobediscussed	during	theTutori	al hour)						

Skills acquired from this course	Knowledge,Problem Solving, Analytical ability,ProfessionalCompetency, Professional Communication and Transferrable Skill
RecommendedText	1.V.K.RohatgiandStatistics,JohnWileyPvt,Singapore,2001.

ReferenceBooks	 G.G.Roussas, A FirstCourse inMathematicalStatistics, Addition Wesley Publ. Co. Mass, 1973. M.Fisz,ProbabilityTheoryandMathematicalStatistics,JohnWiley, New York, 1963.
	 E.J.DudewisgandS.N.Mishra,ModernMathematicalStatistics, John Wiley, New York, 1988.
Websiteand	http://mathforum.org,http://ocw.mit.edu/ocwweb/Mathematics,
e-LearningSource	http://www.opensource.org,www.mathpages.com

Course Learning Outcome(for Mapping with POs and PSOs)

				PSOs					
	1	2	3	4	5	6	1	2	3
CLO1	3	3	3	3	3	3	3	3	3
CLO2	3	2	2	1	2	2	3	2	3
CLO3	3	3	3	2	3	3	3	3	3
CLO4	3	1	3	3	3	3	3	2	3
CLO5	3	2	3	3	3	3	3	3	3

Title of the Course		COMPUTATIONAL MATHEMATICS USING C++							
Paper Number		ELECTIVE							
Category	Elective	Year	II	Credits	3	Course Code	23P3MADE09		
		Semester	Ш						
Instruction	al Hours	Lecture	Tut	orial	Lab	Practice	Total		
Per week		4	1				5		
Objectives Course	of the	This courses intro methods for hands the error analysis.		-					
Course Ou	tline	UNIT-I Principles	of OC	OP-Tokens-	Expre	essions, Con	trol Structures-		
		Functions-Classes	and O	bjects-cons	tructor	rs and destru	uctors.		
		Chapter1 to 6 (9 Hrs)						
		UNIT-II Operator	r Ove	rloading an	d type	e Conversio	ons - Inheritance		
		Pointers, Virtual Functions and Polymorphism-Managing Console I/O							
		Operations-Working with Files .							
		Chapter7 to 11 (9 Hrs)							
		UNIT-III Finite I	Digit A	Arithmetic	and E	rrors Float	ing point arithmet		
		- Propagated Error	- Ger	nerated Erro	or - Er	ror in Evalu	uation of a function		
		f(x) Non-linear l	Equati	ons: Bisect	ion me	ethod- Seca	nt Method - Regu		
		Falsi Method - N	Vewto	n's method	- M [*]	uller's met	hod - Fixed Poi		
		method - Chapters 1,2 : Only 2.1 to 2.6 (9 Hrs)							
		UNIT-IV System Crout's method - Jacobi's method - Differentiation and Integration - N DoubleIntegralCha (omit 5.6)	Invers Gauss d Inte Newto	e of a matr -Seidel Met gration: Nu on-Cotes I	rix - C thod - imerica Formu	Condition nu Relaxation al Different las - G	umbers and errors method. Numeric		
		UNIT V Ordinary Differential Equations: Difference equation -							
		Differential Equations: Single Step method- Runge- Kutta Method-							
		Multi-step methods Chapter 6: 6.1 to 6.4 (omit 6.5) (9 Hrs)							
		Total Hrs: 45 Hrs							

Extended Professional Component	Questions related to the above topics, from various competitive examinations UPSC / TRB / NET / UGC – CSIR / GATE / TNPSC / others to be solved (To be discussed during the Tutorial hour)
Skills acquired from this course	Knowledge, Problem Solving, Analytical ability, Professional Competency, Professional Communication and Transferrable Skill

Recommended Text	1. E.Balagurusamy, Object Oriented Programming with C++, Tata						
	McGraw Hill, New Delhi, 1999.						
	2. Devi Prasad, An Introduction to Numerical Analysis (3 rd edn)						
	Narosa Publishing House, New Delhi, 2006.						
Reference Books	1. D. Ravichandran, Programming with C++, Tata McGraw Hill, New						
	Delhi, 1996						
	2. Conte and de Boor, Numerical Analysis, McGraw Hill, New York, 1990						
	3. John H. Mathews, Numerical Methods for Mathematics, Science and Engineering (2nd Edn.), Prentice Hall, New Delhi, 2000						
Web site and	http://math forum.org,http://ocw.mit.edu/ocwweb/Mathematics,						
e-Learning Source	http://www.opensource.org,www.mathpages.com						

Course Learning Outcome (for Mapping with Pos and PSOs)

			PSOs						
	1	2	3	4	5	6	1	2	3
CL01	3	3	3	3	3	3	3	3	3
CLO2	3	2	2	1	2	2	3	2	3
CLO3	3	3	3	2	3	3	3	3	3
CLO4	3	1	3	3	3	3	3	2	3
CLO5	3	2	3	3	3	3	3	3	3

Title of the Course	PROBABI	PROBABILITY THEORY								
Paper Number	ELECTIV	ELECTIVE								
Category Core	Year	Year II		3	Cou	urse				
	Semester	IV			Co	de	23P4MADE10			
Instructional Hou	s Lecture	Т	utorial	Lab Pr	actice	Tot	al			
Per week	4	1				5				
Pre-requisite	UG level al	gebra a	nd calculus			I				
Objectives of th				ich to pro	babilit	y theo	ory, to study son			
Course			11	1	•	·	tribution function			
			s ,characteris							
	Theorems of	-								
Course Outline		-	•	d Randar	n Vari	ahlas	Random events			
Course Outline										
							tional probability			
							lom Variables nal Distribution			
						•	oles – Functions			
				pendent i	andom	variat	dis = 1 unctions			
		random variables. Chapter 1: Sections 1 1 to 1 7								
	-	Chapter1: Sections1.1 to 1.7 Chapter2 : Sections2.1 to 2.9 (9 Hrs)								
	-			· /						
							on-Moments- Th			
	-	-	-				der parameters			
				-	n of the	first a	ind second types.			
	Chapter3 :	Sectio	ns3.1 to 3.8 (9 Hrs)						
			, · ,· e				<u> </u>			
					-		of characterist			
							semi0invariants			
						-	dent and rando			
						•	the Characterist			
					a aimei	nsiona	l random vectors			
	-	-	ting functions ns4.1 to 4.7							
	-			· /	4:0-0-00	0	aint true maint			
		UNIT-IV : Some Probability distributions: One point , two point , Binomial – Polya – Hyper geometric – Poisson (discrete) distributions –								
	distribution		gamma – r	sela – Ca	uchy al	nu La	place (continuou			
			5 1to5 10(C	mitSocti	on 5 11) (0 E	Irc)			
	-	Chapter5 :Section 5.1to5.10(OmitSection 5.11) (9 Hrs)								
		UNIT-V: Limit Theorems : Stochastic convergence – Bernaulli law of large numbers . Convergence of distribution functions								
	01000 0011000	large numbers – Convergence of sequence of distribution functions – Levy-Cramer Theorems – de Moivre-Laplace Theorem – Poisson,								
	•		•	1						
	Levy-Cram	er The	orems – de	Moivre-	-Laplac	e Th	eorem – Poisso			
	Levy-Cram Chebyshev,	er The , Khin	orems – de tchine Weal	e Moivre- c law of	-Laplac f large	e The num	eorem – Poisso 1bers – Lindber			
	Levy-Cram Chebyshev, Theorem–L	er The , Khin Lapunov	corems – de tchine Weal 7 Theroem-	e Moivre- k law of - Borel-	-Laplac f large Cantell	e The num i Le	eorem – Poisso ibers – Lindber æmma-Kolmogoro			
	Levy-Cram Chebyshev, Theorem–L Inequality a	er The , Khin Lapunov and Kol	corems – de tchine Weal 7 Theroem- mogorov Stre	e Moivre- k law of - Borel- ong Law o	-Laplac f large Cantell of large	e The num i Le numb	eorem – Poisso ibers – Lindber emma-Kolmogoro pers.			
	Levy-Cram Chebyshev, Theorem–L Inequality a Chapter6:	er The , Khin Lapunov and Kol Section	corems – de tchine Weal 7 Theroem- mogorov Stra s6.1to6.4,6.6	Moivre- c law of Borel- ong Law of to6.9,6.1	-Laplac f large Cantell of large land6. 1	e The num i Le numb	eorem – Poisso ibers – Lindber emma-Kolmogoro pers.			
	Levy-Cram Chebyshev, Theorem–L Inequality a Chapter6:	er The , Khin Lapunov and Kol Section 5, 6.10,0	corems – de tchine Weal 7 Theroem- mogorov Stre	Moivre- c law of Borel- ong Law of to6.9,6.1	-Laplac f large Cantell of large	e The num i Le numb	eorem – Poisso ibers – Lindber emma-Kolmogoro pers.			

Extended	Questions related to the above topics, from various competitive						
Professional	examinations UPSC / TRB / NET / UGC – CSIR / GATE / TNPSC /						
Component (is a	others to be solved						
part of internal	(To be discussed during the Tutorial hour)						
component only,							
Not to be included in							
the External							
Examination							
Question paper)							
Skills acquired from	Knowledge, Problem Solving, Analytical ability, Professional						
this course	Competency, Professional Communication and Transferrable Skill						
Recommended	led M.Fisz, <i>Probability Theory and Mathematical Statistics</i> , John Wiley						
Text	And Sons,NewYork,1963.						
Reference Books	1. R.B. Ash, Real Analysis and Probability, Academic Press, New						
	York, 1972						
	2.K.L.Chung, A course in Probability, Academic Press, New York,						
	1974.						
	4. R.Durrett, <i>Probability : Theory and Examples</i> , (2 nd Edition)						
	Duxbury Press, New York, 1996.						
	5. V.K.RohatgiAn Introduction to Probability Theory and						
	Mathematical Statistics, Wiley Eastern Ltd., New Delhi,						
	1988(3 rd Print).						
	6. S.I.Resnick, A Probability Path, Birhauser, Berlin, 1999.						
	7. B.R.Bhat, Modern Probability Theory (3rd Edition), New Age						
	International (P)Ltd, New Delhi, 1999						
Website and	http://mathforum.org,http://ocw.mit.edu/ocwweb/Mathematics,						
e-Learning Source	http://www.opensource.org,http://www.probability.net						

Course Learning Outcome(for Mapping with POs and PSOs)

Students will be able to

CLO1: To define Random Events, Random Variables, to describe Probability, to apply Bayes, to define Distribution Function, to find Joint Distribution function, to find Marginal Distribution and Conditional Distribution function, to solve functions on random variables.

CLO2: To define Expectation, Moments and Chebyshev Inequality, to solve Regression of the first and second types.

CLO3: To define Characteristic functions, to define distribution function, to find probability generating functions, to solve problems applying characteristic functions

CLO4: To define One point, two-point, Binomial distributions, to solve problems of Hyper geometric and Poisson distributions, to define Uniform, normal, gamma, Beta distributions, to solve problems on Cauchy and Laplace distributions

CLO5: To discuss Stochastic convergence, Bernaulli law of large numbers, to elaborate Convergence of sequence of distribution functions, to prove Levy-Cramer Theorems and de Moivre-Laplace Theorems, to explain Poisson, Chebyshev, Khintchine Weak law of large numbers, to explain and solve problems on Kolmogorov Inequality and Kolmogorov Strong Law of large numbers.

			PSOs						
	1	2	3	4	5	6	1	2	3
CLO1	3	1	3	2	3	3	3	2	1
CLO2	2	1	3	1	3	3	3	2	1
CLO3	3	2	3	1	3	3	3	2	1
CLO4	1	2	3	2	3	3	3	2	1
CLO5	3	1	2	3	3	3	3	2	1

Title of th	e Course	MATHEMATI	ICAL I	METHODS	USING PY	THO	N			
Paper Number		ELECTIVE								
Category	Elective	Year II Cre		Credits	3		urse	23P4MADE1		
		Semester	IV	-		Coc	ae			
Instruction	nal Hours	Lecture	Tut	orial	LabPrac	tice	To	tal		
Per week		3	1				4			
Pre-requis	ite									
Objectives	of the	This course air	ns							
Course		To introduce to	o stude	ents Python	programm	ing.				
		To learn pytho	n codi	ng to imple	ment algor	rithms	for M	Iathematical		
<u> </u>		problems.					•			
Course Ou	itline	Unit-I: Introd		•	-			• •		
		operators, numbers, strings, lists, tuples, functions and input/output								
		statements. So	tements. Some simple programs to understand the relational,							
		conditional an	d logi	cal operato	rs. Compa	re two	num	bers (less than		
		greater than) u	ising if	f statement.	Sum of na	atural	numt	pers using whi		
		loop; Finding	the fa	ctors of a 1	number usi	ing for	: loop	; To check th		
		given number	is pr	ime or not	(use if	else s	stater	nent); Find th		
		factorial of a n	number	r (use ifif	else).; Si	mple p	progra	ams to illustra		
		logical operators (and, or, not). (9 Hrs)								
		Unit II: Matri	ices, D	oifferential	Calculus	& Ana	lytic	al Geometry o		
		Three Dimen	sions	Python co	mmands t	o redu	ice g	given matrix 1		
		echelon form and normal form with examples. Python								
		program/command to establish the consistency or otherwise and								
		solving system of linear equations. Python command to find the nth								
		derivatives. Python program to find nth derivative with and without								
		Leibnitz rule. Obtaining partial derivative of some standard function								
		Verification of Euler's theorem, its extension and Jacobean. Pythor								
		program for reduction formula with or without limits. Python								
		program to find						•		
		1 <u>0</u>	- 1	P1	-r, •		<i>,</i>	()		

	Unit III Roots of High-Degree Equations- Systems of Linear
	Equations Introduction, Simple Iterations Method - Finite
	Differences Method, Gauss Elimination Method: Algorithm, Gauss
	Elimination Method, Jacobi's Method, Gauss-Seidel's Method.
	(9 Hrs)
	Unit IV Numerical differentiation, Integration and Ordinary
	Differential Equations Introduction & Euler's Method, Second Order
	Runge-Kutta's Method, Fourth Order Runge-Kutta's Method, Fourth
	Order Runge-Kutta's Method: Plot Numerical and Exact Solutions .
	(9 Hrs)
	Unit V Two-Point Boundary Value Problems Introduction to two-
	point boundary value Problems: second order differential equations
	- Higher order differential equations - solution of second order
	differential equation using Finite Difference Method. (9 Hrs)
	Total Hrs: 45
Extended Professional Component	Questions related to the above topics, from various competitive examinations UPSC /TNPSC / others to be solved
	(To be discussed during the Tutorial hour)
Skills acquired from this course	Knowledge, Problem Solving, Analytical ability, Professional Competency, Professional Communication and Transferrable Skill
Recommended Text	1. www.python.org
	2. <u>www.rosettacode.org</u>
	3. <u>http://faculty.msmary.edu/heinold/python.html</u>
	4. J. Kiusalaas, Numerical methods in engineering with Python 3. Cambridge University Press, 2013.
	5. H. P. Langtangen, Solving PDEs in Python: the FEniCS tutorial I. SpringerOpen, 2016
Reference Books	
Website and	http://mathforum.org,http://ocw.mit.edu/ocwweb/Mathematics,
e-Learning Source	http://www.opensource.org,www.mathpages.com

			PSOs						
	1	2	3	4	5	6	1	2	3
CLO1	3	3	3	3	3	3	3	3	3
CLO2	3	2	2	1	2	2	3	2	3
CLO3	3	3	3	2	3	3	3	3	3
CLO4	3	1	3	3	3	3	3	2	3
CLO5	3	2	3	3	3	3	3	3	3

Course Learning Outcome(for Mapping with POs and PSOs)

Programme code	M.Sc	Programme Title	Master of Science (Mathematics)	
Course Code	23P4MADE12	Title	Batch	2023- 2025
		Elective: NUMERICAL	Semester	IV
Hrs/Week	4	ANALYSIS	Credits	3

Course Outcomes (CO)

CO	СО	Knowled
Numbe	State	ge
r	ment	Level
CO1	To recall the basic concepts of Newton's method, Trapezoidal rule and Simpson's rules	K1, K2
CO2	To understand various types of methods to solve the DifferentialEquations.	K2
CO3	To solve the problems of ODE.	K5, K6
CO4	To gain knowledge in Boundary Value Problems And CharacteristicValue Problems	K3, K4
CO5	To Analyze the concept of Numerical Solution Of Partial DifferentialEquations	K4, K5

Unit I: Solution Of Nonlinear Equations

(9 Hrs)

Newton's method – Convergence of Newton's method – Bairstow''s Method for quadratic factors. Numerical Differentiation And Integration: Derivatives from Differences tables – Higher orderderivatives – Divided difference, Central-Difference formulas – Composite formula of Trapezoidal rule –Romberg integration – Simpson's rules.

Chapter 1

Unit II : Solution Of System Of Equations (9 Hrs)

The Elimination method – Gauss and Gauss Jordan methods – LU Decomposition method – Matrix inversion by Gauss-Jordan method – Methods of Iteration – Jacobi and Gauss Seidal Iteration – Relaxation method – Systems of Nonlinear equations.

Chapter 2

Unit III: Solution Of Ordinary Differential Equations (9 Hrs)

Taylor series method – Euler and Modified Euler methods – Rungekutta methods – Multistepmethods – Milne's method – Adams Moulton method.

Chapter 6

Unit IV: Boundary Value Problems And Characteristic Value Problems (9 Hrs)

The shooting method – solution through a set of equations – Derivative boundary conditions –Characteristic value problems – Eigen values of a matrix by Iteration – The power method.

Chapter 6

Unit V:Numerical Solution Of Partial Differential Equations(9 Hrs)

(Solutions of Elliptic, Parabolic and Hyperbolic partial differential equations) Representation as a difference equation – Laplace's equation on a rectangular region – Iterative methods for Laplace equation

The Poisson equation – Derivative boundary conditions – Solving the equation for time-dependent heatflow (i) The Explicit method (ii) The Crank Nicolson method
 – solving the wave equation by Finite Differences.

Power point Presentations, Seminar & Assignment

TOTAL :45 Hours

TEXT BOOK:

C.F.Gerald and P.O.Wheatley, *"Applied Numerical Analysis"*, Fifth Edition, Addison Wesley, (1998).

REFERENCE BOOKS :

 M.K. Venkatraman, "Numerical Methods in Science and Technology", National PublishersCompany, 2nd Edition,(1992).
 S.C. Chapra and P.C. Raymond, "Numerical Methods for Engineers", tata McGrawHill, (2000)
 P. Kandasamy et al., "Numerical Methods", S.Chand & Company Ltd.(2003). ONLINE SOURCES:

- 1. https://nptel.ac.in/downloads/111106054/
- 2. https://ocw.mit.edu.
- 3. https://swayam.gov.in
- 4. www.freebookcentre.net

РО	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PO8	PO9	PO10	PO11	PO12	PO13	PO14	PO15
со															
CO1	S	М	L	S	S	М	М	М	М	L	S	М	L	L	S
CO2	S	L	S	М	М	L	L	М	М	L	М	L	L	L	S
CO3	S	М	S	S	S	S	М	S	М	L	S	М	М	М	S
CO4	S	М	S	S	S	S	L	S	L	L	S	L	М	М	S
CO5	М	М	S	S	S	S	М	L	L	L	S	М	S	S	S

Mapping with Programme Outcomes

S - Strong; M - Medium; L - Low

Title of the	e Course	BIG DATA AN	ALYS	IS USING	R PROGR	AMMI	NG			
Paper Nur	nber	ELECTIVE								
Category	Elective	Year	II	Credits	3 Co		ourse 23P4MADE1			
		Semester	IV		C		e			
Instructio	nal Hours	Lecture	Tutorial		LabPrac	ctice	Total			
Per week		3	1				4			
Pre-requis		Basic knowledg	e in Co	mputer and	Statistics					
Objectives Course	s of the									
Course Ou	ıtline	Studio – R Stud – Logical Opera Studio- Installin types in R: Cro Vectors- Data Fr Vectors- Specia	io Over ations - ng and eating rames- l Value	r view –Wor Using Fun loading pac Variables - Factors- Sor s. (9 Hrs)	rking in the ctions - Ge kages. Data Numeric, ting Numer	Consol tting He a structu Charact ric, Char	e -An elp in ares, t ter an ter ar			
		UNIT II Data Visualization using R: Scatter Plots - Box Plots - Scatter Plots and Box-and-Whisker Plots Together- Customize plot axes, labels,								
		Add legends, and add colours. (9 Hrs)								
		UNIT III Descriptive statistics in R: Measures of central tendency-								
		Measures of variability- Skewness and kurtosis-Summary functions, describe								
		functions, and descriptive statistics by group. (9 Hrs)								
		UNIT IV Testing of Hypothesis using R:T-test, Paired Test, correlation,								
		Chi Square test, Analysis of Variance and Correlation (9 Hrs)								
		UNIT V Predictive Analytics: linear Regression model, Non-Linear Least								
		Square, multiple regression analysis, Logistic Regression, Panel								
		Regression Anal	lysis, A	RCH Mode	l, GARCH	models,	VIF	model. (9 Hrs)		
		Total Hrs: 45								
Componen		Questions related to the above topics, from various competitive examinations UPSC / TNPSC / others to be solved (To be discussed during the Tutorial hour)								
Recomme	nded Text	Wiley, London 2. 2. Purohit,S. RI, second edition 3. Shahababa	32. G.;Gor on. Nar a B.(20 Murdoc	e,S.D.and I osa Publishi 11),—Biost h(2007),—4	Deshmukh,S ng House, I atistics with A first cours	S.R.(201 New De n RI,Spri se in stat	5),— lhi. inger	ing RI, John -Statistics using , NewYork. al programming		

Website and	1.	https://cran.r-project.org/doc/contrib/Owen-TheRGuide.pdf						
e-Learning Source	2.	https://sphweb.bumc.bu.edu/otlt/MPH-Modules/BS/R/R-Manual/R-						
	Maı	Manual2.html						
	3.	https://smac-group.github.io/ds/						
	4.	https://www.geeksforgeeks.org/predictive-analysis-in-r						

Course Learning Outcome (for Mapping with Pos and PSOs)

				PSOs					
	1	2	3	4	5	6	1	2	3
CL01	3	3	3	3	3	3	3	3	3
CLO2	3	2	2	1	2	2	3	2	3
CLO3	3	3	3	2	3	3	3	3	3
CLO4	3	1	3	3	3	3	3	2	3
CLO5	3	2	3	3	3	3	3	3	3

Title of the Course		GRAPH THEOR	YAN	D APPLIC	CATIONS				
Paper Nur	nber	ELECTIVE							
Category	Elective	Year	Ι	Credits	3	Cou		23P3MADE07	
	-	Semester	Π			Cod	le		
Instruction	nal Hours	Lecture	Tut	orial	Lab Prac	tice	Tot	al	
Per week		5	1				6		
Pre-requis	ite	UG level Graph The	ory		I				
Course Ou	ıtline	UNIT I: Basic	Res	sults: Intro	duction-Ba	asic (Conce	pts -Subgraphs-	
		Degrees of Vertic	es -	Paths and	Connected	ness -	• Aut	omorphism of a	
		Simple Graph. (Chap	ter 1: Sec	tions 1.1	- 1.6	5). D	irected Graphs:	
		Introduction-Basic	Cond	cepts-Tourn	aments.				
		(Chapter2 : Sections2.1-2.3). (9 Hrs)							
		UNIT II: Connectivity and Trees: Connectivity: Introduction-Vertex cut							
		and Edge Cut-Connectivity and Edge Connectivity.(Chapter 3:							
		Sections3.1-3.3).Trees: Introduction-Definition,Characterizationand							
		Simple Properties-Centers and Centroids- Cutting the Number of							
		Spanning Trees-Cayley's Formula. (Chapter 4: Sections 4.1- 4.5).							
		(9 Hrs)							
		UNIT III: Independent Sets, Matchings and Cycles: Independent Sets and							
		Matchings: Introduction-Vertex-Independent Sets and Vertex Coverings-							
		Edge-Independentsets-MatchingsandFactors-Matchingsin Bipartite							
		Graphs. (Chapter 5: Sections 5.1- 5.5) . Cycles: Introduction- Eulerian							
		GraphsHamiltonia	n Gra	phs. (Chapt	er 6: Sectio	ons 6.1	- 6.3)). (9 Hrs)	
	-	UNIT IV: Gr	aphC	Colorings:	Introduct	ion-Ve	ertexc	olorings-Critical	
		Graphs-Edge colorings of Graphs-Kirkman's Schoolgirl- Problem-							
		Chromatic Polynomials.(Chapter 7: Sections 7.1,7.2,7.3 (7.2.1 &							
		7.2.3only),7.6,7.8,and7.9). (9 Hrs)							

	UNIT V: Planarity: Introduction- Planar and Nonplanar Graphs -Euler					
	Formula and its Consequences K and K ,3 are Nonplanar Graphs –Dual of					
	a Plane Graph-The Four-ColorTheorem 5 3 and the Heawood Five- Color					
Theorem-Hamiltonian Plane Graphs-Tait Coloring.(Chapter 8						
	8.1 - 8.6 ,8.8 and 8.9). (9 Hrs)					
	Total Hrs: 45 Hrs					
Extended	Questions related to the above topics, from various competitive examinations					
Professio	UPSC / TRB / NET / UGC – CSIR / GATE / TNPSC / others to be solved					
nal Component	(To be discussed during the Tutorial hour)					

Skills acquired from this course	Knowledge, Problem Solving, Analytical ability, Professional Competency, Professional Communication and Transferrable Skill					
Recommended Text	1. R. Balakrishnan and K.Ranganathan, Text Book of GraphTheory,					
	(2nd Edition), Springer, New York,2012.					
Reference Books	1. J.A.Bondy and U.S.R.Murty, Graph Theory with Applications, North Holland, New York, 1982.					
	2. Narasing Deo, Graph Theory with Application to Engineering and Computer Science, Prentice Hall of India, New Delhi. 2003.					
	3. F.Harary, Graph Theory, Addison–Wesely Pub.Co.TheMass. 1969.					
	4. L.RFoulds, Graph Theory Application, Narosa Publ. House, Chennai, 1933.					
Website and	http://mathforum.org,http://ocw.mit.edu/ocwweb/Mathematics,					
e-Learning Source	http://www.opensource.org,www.mathpages.com					

Course Learning Outcome(for Mapping with Pos and PSOs)

			I		PSOs				
	1	2	3	4	5	6	1	2	3
CLO1	3	3	3	3	3	3	3	3	3
CLO2	3	2	2	1	2	2	3	2	3
CLO3	3	3	3	2	3	3	3	3	3
CLO4	3	1	3	3	3	3	3	2	3
CLO5	3	2	3	3	3	3	3	3	3

Programme code	M.Sc	Programme Title Master of Science (Mathematics)		
Course Code	23P2MADE1 5	Title	Batch	2023-25
		ELECTIVE :FLUID	Semester	Π
Hrs/Week	5	DYNAMICS	Credits	3

Course Outcomes (CO)

CO Numbe	CO Statement	Knowledg eLevel
r		
CO1	To know about the kinematics of fluid and its terminology.	K1, K2
CO2	To Gain knowledge in Equations of Motion of a Fluid	K3, K4
CO3	To understand the concepts of Some Three –Dimensional Flows	K2
CO4	To analyze Some Two -Dimensional Flows	K4
CO5	To Evaluate Viscous Flow and connected properties	K5 ,K6

Unit -I : Kinematics of Fluids in Motion

Real Fluids and Ideal Fluids- Velocity of a Fluid at a Point- Stream lines and path lines: Steady and Unsteady Flows- the Velocity Potential-The Vorticity Vector-Local and Particle Rates of change-the equation of Continuity-Worked Examples-Acceleration of a fluid Conditions at a rigid Boundary.

Chapter -2 (Sec 2.1 – 2.10)

Unit-II: Equations of Motion of a Fluid

Pressure at a Point in a Fluid at Rest-Pressure at a Point in a Moving Fluid-Conditions at a Boundary of Two inviscid Immiscible Fluids-Euler's Equations of Motion –Bernoulli's Equation –Worked Examples-Discussion of the Case of Steady Motion under Conservative Body Forces.

Chapter- 3 (Sec 3.1 – 3.7)

Unit – III: Some Three – Dimensional Flows

Introduction-Sources, Sinks and Doublets-Images in a Rigid Infinite Plane-Axi-Symmetric Flows: Stokes's Stream Function.

Chapter -4 (Sec 4.1 – 4, 4.5)

Unit IV: Some Two -Dimensional Flows

Meaning of Two -Dimensional Flow-Use of Cylindrical Polar Co-ordinates-the Stream Function –the Complex Potential for Two –Dimensional, Irrotational, In Compressible Flow –Complex VelocityPotential for Standard Two –Dimensional flows-Some Worked Examples. Chapter -5 (Sec 5.1 - 5.6)

(9 Hrs)

(9 Hrs)

(9 Hrs)

(9 Hrs)

Unit V: Viscous Flow

Stress Components in a Real Fluid –Relations between Cartesian Components of Stress-Translational Motion of Fluid Element-the Rate of Strain Quadric and Principal Stresses- Some Further Properties of the Rate of Strain Quadric-Stress Analysis in Fluid Motion- Relations between Stress and Rate of Strain-the co-efficient of Viscosity and Laminar Flow-the Navier – Stokes Equations of Motion of a Viscous Fluid.

Chapter -5 (Sec 8.1 – 8.9)

TOTAL :

Power point Presentations, Seminar & Assignment

45 Hours

(9 Hrs)

TEXT BOOK:

F.Chorlton, Text book of Fluid Dynamics, CBS Publication New Delhi, 2004.

REFERENCE BOOKS:

1. G.K.Batchaelor, An Introduction to Fluid Mechanics, Foundation Books, New Delhi, 2002.

2. S.W.Yuan, Foundations of Fluid Mechanics, Prentice Hall of India Pvt. LtD., New Delhi,2000.

3. R.K.Rathy, An Introduction to Fluid Dynamic, IBH Publ.Comp. New Delhi, 2002.

ONLINE SOURCES:

1. www.efluids.com

2. www.springer.com

Mapping with Programme Outcomes

PO CO	PO 1	PO 2	PO 3	PO 4	PO 5	PO 6	PO 7	PO 8	PO 9	PO1 0	P 01 1	PO 12	PO 13	P O1 4	PO 15
CO1	S	М	S	S	М	L	М	L	М	L	S	L	L	L	S
CO2	S	S	М	М	S	М	L	S	М	L	S	М	М	S	М
CO3	S	М	L	S	S	L	М	L	S	L	S	L	L	L	S
CO4	S	L	S	М	М	L	L	М	М	L	М	L	L	L	S
CO5	S	М	S	S	S	S	Μ	S	М	L	S	М	Μ	М	S

S - Strong; M - Medium; L - Low

Title of the Course: CORE INDUSTRY MODULES

Paper Number: ELECTIVE

Course Code 23P3MADE16

Suggestive topics for Core Industry Modules:

1. Industrial Statistics Recommended Text:

1. PapoulisA.Probability,RandomVariablesandStochasticprocess,TataMcGrawHill Education Pvt. Ltd., New Delhi

2. BaisnabA.,JasM.,ElementsofProbabilityandStatistics,TataMcGrawHill Education Pvt. Ltd., New Delhi, 1993

3. Fruend John E, Mathematical Statistics, Prentice Hall of India, New Delhi

2. Industrial Processes Recommended Text:

1. H.A.Strobel, ChemicalInstrumentation: ASystematicapproach, 2ndEdition(1973)

Addition Wesley, Reading, Mass

2. R.L.Pecsok,L.D.Shields,T.CavinsandL.C.Mcwilliam,2ndEdition(1976),john Wiley & Sons, New York

3. E.W.Berg, Chemical Methods of Separations, 1stEdition(1963), McGrawHill, New York

3. Chemometrics and quality control in industry

Recommended Text:

1. G.D.Christian, Analytical chemistry, 5thedition(1994), John Wiley & Sons, New York

2. M.A.Sharat and D.L.Illuran, Chemometrics, John Wiley, NewYork

3. CanlcuttandR.Roddy,StatisticsforAnalyticalChemists,ChapmamandHall,New York

4. Mathematics of Finance and Insurance Recommended Text:

1. JohnC.Hull,Options,FuturesandOtherDerivatives,PrenticeHallofIndiaPrivate Limited

2. SheldonMRoss,AnIntroductiontotheMathematicalFinance,CambridgeUniversity Press

3. Salih N. Nettci, An introduction to the Mathematics of Financial Derivatives,

Academic Press, Inc.

4. RobertJ.EllicottandP.Ekkehardkopp,MathematicsofFinancialMarkets,Springer-Verlag, New York

5. C.D.Daykin,T.Pentikainen and M.Pesonen,PracticalRiskTheoryforActuaries, Chapman & Hall.

6. TornaszRolski,HanspterSchmidli,VolkerSchmidtandJozefTeugels,Stochastic Processes for insurance and Finance, John Wiley & Sons Limited

5. Performance modelling of communication networks Recommended Text:

1. ThomasRobertazzi,ComputerNetworksandSystems:QueuingtheoryandPerformance Evaluation, Springer-Verlag, 2000

2. B.R.Hverkort, Performance of Computer Communication systems (Amodelbased approach), Wiley, 1998 and more.

Title of the Course		COMPUTATIONAL MATHEMATICS LAB								
Paper Nun	nber	CORE PRACTICAL								
Category	Core	Year	II	Credits	2	Cours	23P3MADE			
		Semester	III	e	P1					
						Code				
Instruction	nal	Lecture	Total							
Hours					Pr	actice				
per week		-	-		2		2			
Pre-requis	ite	Basics of C	++							
Objectives		1) To wr	ite, und	erstand C+	+ pro	gram code	s for finding			
Course		the approximation	ate solu	tion of tra	nscen	dental equa	ations.			
		2) To wri	te, unde	erstand C++	prog	ram codes f	for finding the			
		approximate s	olution	of system o	fequa	ation and to	o find spectral			
		radius of giver								
		3) To wri	te, unde	erstand C++	prog	ram codes 1	to solve the			
		3) To write, understand C++ program codes to solve the given initial value problem and to evaluate given integration.								
Course Ou	ıtline	Write program	ns based	of followin	ıg me	thods:				
		1. Simple	e Bisecti	ion method						
		-			nverg	vence				
		 Bisection with tests for convergence Recursive solution for Bisection 								
		4. Newton's method								
			Method							
				terpolation						
		-		rivatives						
				method						
			method							
		10. Gauss	elimina	tion method	l					
		11. Gauss-								
		12. Gauss-								
		13. Power								
		14. Euler r	nethod							
				econd orde	r metl	nod				
		-		ourth order						
		17. Trapez								
		18. Simpso								
		19. Simpso								
		Total Hrs: 3								

Course outcomes:

After completing this course, students will be able to

- Reframe C++ program codes for finding the approximate solution of transcendental equations by Bisection, Regula-Falsi, Secant, Newton Raphson method.
- Understand C++ program codes for finding the approximate solution of system of equations by Gauss- Seidal, Gauss-Jacobi and to find spectral radius of given matrix using power method.
- Construct C++ program codes to solve the given initial value problem by using Euler, Runge-Kutta methods and to evaluate given integration by Trapezoidal, Simpsons rules.

SKILL ENHANCEMENT COURSES:

Title of th	e Course	DI	FFERI	ENTIAL E	QUA	TIONS	S USING S	CILAB	
Paper Nur	nber	SEC							
Category	Elective	Year	Ι	Credits	2	2Course Code23P1N			
		Semester 1		_					
Instructional Hours Per week		Lecture	Tutorial			ab actice	Total		
		1	1				2		
Pre-requis	ite		I						
Objectives Course	of the								
Course Ou	ıtline	UNIT I							
		An Introduction	on to Sci	lab-Matrices	s (6	Hrs)			
		UNIT II							
		Scilab Programming (6 Hrs)							
		UNIT III							
		Functions–Plotting (6 Hrs)							
		UNIT IV							
		Solving Ordin	ary Diff	erential Equa	tions	5 (6 Hrs)			
		UNIT V	G '1 1						
		Polynomials in		(6 Hrs)					
		Total Hrs: 3	U						
Extended Component		Questions related to the above topics, from various competitive examinations UPSC /TNPSC / others to be solved							
		(To be discuss	ed durir	ig the Tutoria	al hoi	ur)			
Skills acq this course	uired from	Knowledge, Pr Professional C		•	•	•		al Competency,	
Recommen	nded Text	1.PROGRAM	MING U	JSING SCIL	AB,	AKHILI	ESH KUMA	R	
Reference	Books	1.Ordinary D	ifferent	ial Equation	ns w	ith Scila	b by Gilbe	rto E.Urroz	
Website a	ind	http://mathfo	rum.org	<u>g,http://ocw.</u>	mit.	edu/ocw	web/Mathe	ematics,	
e-Learnin	ng Source	Source <u>http://www.opensource.org,www.mathpages.com</u>							

Title of th Course	ie	MATHEMATICAL DOCUMENTATION USING LATEX									
Paper Nur	nber	SEC									
Category	Electi ve	Year	Ι	Credits	1	Co	ourse Code 23P2MA				
		Semester	II								
Instructional Hours Per week		Lecture	Tut	orial	Lab Practice Total						
		1	1				2				
Objectives	of	f To introduce students with a software that is being widely used for typesetting especially in Mathematics field. To make students know importance of this softw for publishing research articles, papers, project reports and books and thereby hel them to becomfortable with the software .									
Course Ou	ıtline	UNITI									
		Installation of	LaTeX								
		i)Installation o	f Kile and N	AikeTeX.							
		ii)Class and pa	ckages								
	iii)Latex programming and commands, sample packages										
		iv)Error messa (3 Hrs)	ges : Some	sample erro	ors,list of	LaTeX	error mess	sages			
		UNIT II Formatting of	output do	cument :							
		i)Fonts, symbo subtitles	ls, indentin	g, paragrap	hs, line s _]	pacing,	word spac	ing, titles and			
		ii)Document cl (3 Hrs)	ass, page st	yle, parts o	f the docu	uments,	table of co	ontents			
		UNIT III Formating of	outnut daa	umont .							
		Formating of	-								
		i) Command n	ames and a	rguments, e	environme	ents, deo	clarations				
	-	ii) Theorem lik UNIT IV	e declaratio	ons, comme	nts within	n text (3	Hrs)				
		Mathematical	formulae	:							
		i)Mathematical environments, math mode ,mathematical symbols									
		ii)Graphic pack	kage, multi	valued fund	ctions, dra	awing m	natrices				
		iii) Tables, tables with captions(3 Hrs)									

	UNIT V						
	Drawing with LaTeX						
	i) Picture environments						
	ii) Extended pictures, other drawing packages						
	iii)Preparing book, project report in LaTeX. (3 Hrs)						
	Total Hrs: 15						
Extended	Questions related to the above topics, from various competitive examinations UPSC						
Profess	/TNPSC / others to be solved						
ional Component	(To be discussed during the Tutorial hour)						
Skills acquired	Knowledge, Problem Solving, Analytical ability, Professional Competency,						
from this	Professional Communication and Transferrable Skill						
course							
Reference Books	Guide to LATEX, fourth edition, Helmut Kopka, Patrick W.Daly						
Website and	http://mathforum.org,http://ocw.mit.edu/ocwweb/Mathematics,						
e-Learning	http://www.opensource.org,www.mathpages.com						
Source							

Title of th	e Course	MATHEMA	ΓICAL	COMPUT	TATION	WITH	SAG	EMATH	
Paper Nun	nber	SEC							
Category	Elective	Year	Ι	Credits	2 Co		ourse 23P1MAS03		
		Semester	Ι						
Instruction	nal Hours	Lecture	Tut	orial	Lab Pi	ractice	Total		
Per week		1	1 2						
Pre-requis	ite								
Objectives Course	of the								
Course Ou	tline	UNIT-I First	Steps						
		The Sage Prog	gram -S	Sage as a Ca	alculator	(6 Hrs)			
		UNIT-II Ana	lysis a	nd Algebra	l				
	Symbolic Expressions and Simplification – Equations – Analysis -							– Analysis -	
		Basic Linear Algebra (6 Hrs)							
		UNIT-III Pro	ogramr	ning and D	ata Stru	ictures			
		Syntax–Algor	ithmics	- Lists and	Other Da	ata Struc	tures	(6 Hrs)	
		UNIT-IV Gra	aphics						
		2D Graphics -	3D Cu	rves (6 Hrs)				
		UNIT-V Con	nputati	onal Doma	ins				
		Sage is Object- Oriented- Elements, Parents, Categories- Domains with							
		a Normal Form-Expressions vs Computational Domains (6 Hrs)							
		Total Hrs: 30							
Extended Component	Professional	Questions related to the above topics, from various competitive examinations UPSC /TNPSC / others to be solved							
		(To be discusse	d durin	g the Tutoria	al hour)				
Skills acq this course	uired from	Knowledge, Pr Professional Co		-	•	•	ession	al Competency,	
Recommen	nded Text	1.Mathematic	al Com	putation wi	th SageN	Aath, Pau	ılZim	mermann	
		Alexandre Casamayou.							

Reference Books	 Uri M. Ascher and Linda R. Petzold, Computer Methods for Ordinary Differential Equations and Differential-Algebraic Equations. Society for Industrial and Applied Mathematics, 1998, ISBN 0898714128. NogaAlon and JoelH.Spencer, The Probabilistic Method.Wiley- 						
	Interscience, 2000, ISBN 0471370460. 3.Bernard Beauzamy, Robust mathematical methods for extremely rare events. On-line, 2009. http://www.scmsa.eu/RMM/BB_rare_ events 2009 08.pdf,20pages.						
Website and	http://mathforum.org,http://ocw.mit.edu/ocwweb/Mathematics,						
e-Learning Source	http://www.opensource.org,www.mathpages.com						

Title of the Course	OFFICE AUTOMATION AND ICT TOOLS								
Paper Number	SEC								
Category Elective	Year	Ι	Credits	2	Cou	urse	23P1MAS04		
	Semester	Ι			Coc	de			
Instructional Hours	Lecture	Tut	orial	Lab Pi	actice	Tota	Fotal		
Per week	1	1				2			
Objectives of the		<u> </u>							
Course									
Course Outline	UNITI								
	Office Automa	Office Automation-Office and Office Automation (6 Hrs)							
	UNIT II								
		0+	т.1	•		1 117	1 D		
	(6 Hrs)	Computer Mail Systems – Telecommunication and Word Processor (6 Hrs)							
	UNIT III								
	WP Hardware Configuration (6 Hrs)								
	UNIT IV								
	Reprographics-Electronic Mail and Electronic-Filing (6 Hrs)								
	UNIT V								
	Facsimile Trans	smiss	ion and Mi	crooranh	ics- Voi	ce Tecł	nology (6 Hrs)		
	Total Hrs: 30	511155		erograph			inology (0 ms)		
Extended Professional	Questions related		•			ompetiti	ve		
Component	examinations UP	PSC /T	NPSC / oth	ers to be s	olved				
	(To be discussed	l durin	g the Tutori	al hour)					
Skills acquired from	Knowledge, Prol	blem S	Solving, Ana	lytical ab	ility, Pro	fessiona	l Competency,		
this course	Professional Cor	nmuni	ication and T	Fransferra	ble Skill				
Recommended Text	1. Office Au	ıtoma	tion Tools a	and Tech	nology ((UnitI&	Unit-II)		
	2.Office Autom	nation	Tools, Yate	endrakum	nar & su	ithavar	shney, Naveen		
	prakashan pvt .						•		
Reference books	1. Office Au	itoma	tion Tools,	Dr.Rizwa	an Ahme	ed, Nav	een prakashan		
	pvt						-		
	.Ltd								
	2. Office Au	ıtoma	tion Tools,	Dr. Baba	asaheb A	mbedk	ar		
Website and	http://mathforu	m.org	,http://ocw	.mit.edu/	ocwweb	/Mathe	matics,		
	http://mathforum.org,http://ocw.mit.edu/ocwweb/Mathematics, http://www.opensource.org,www.mathpages.com								

Title of th	e Course	N	UME	RICAL AN	ALYSIS	S USING	SCI	LAB			
Paper Nun	nber	SEC									
Category	Elective	Year	Ι	Credits	2	Cor	ırse le	23P1MAS05			
		Semester	mester I				~~				
Instruction	nal Hours	Lecture	Tut	orial	Lab P	ractice	Tot	al			
Per week		1	1				2				
Objectives Course	of the				1		1				
Course Ou	tline	UNITI									
		Transcendenta	l and l	Polynomial	Equation	ns (6 Hrs)				
		UNIT II									
		System of Linear Algebric Equations and Eigen value Problems (6 Hrs)									
		UNIT III	UNIT III								
		Interpolation and Approximation (6 Hrs)									
		UNIT IV									
		Differentiation and Integration (6 Hrs)									
		UNIT V	NIT V								
		Ordinary Diffe	erentia	l Equations	Initial V	alue Pro	blems	(6 Hrs)			
		Total Hrs: 30									
Extended Component	Professional	Questions relate UPSC /TNPSC		•		various co	mpeti	tive examinations			
		(To be discussed	d durin	g the Tutoria	al hour)						
Skills acqu	uired from	Knowledge, Pro		U,	2	•	ession	al Competency,			
this course		Professional Co									
Recommer	nded Text	1.Numerical Me Jain, S. R. K. Iy				gineering	Comp	outation by M.K.			
Reference	Books	1.Numerical Me University Press		and principle	es analysi	s and algo	orithm	s,S.Pal,Oxford			
Website a	nd	http://mathforu	-	-				ematics,			
e-Learnin	g Source	e <u>http://www.opensource.org,www.mathpages.com</u>									

Course Paper Num Category Instruction Per week Pre-requisit Objectives	Elective	Semester	PR I II	OGRAMM Credits	IING PA	CKAGI	ES							
Category Instruction Per week Pre-requisit	Elective	Year Semester		Credits										
Category Instruction Per week Pre-requisit	Elective	Year Semester		Credits		SEC								
Per week Pre-requisit	al Hours		II			Cou Coc	ourse 23P2MAS0							
Per week Pre-requisit	al Hours	T .												
Pre-requisit		Lecture	Tu	Tutorial		actice	Total							
-		1	1				2							
Objectives	te						1							
	of													
Course	the													
Course Out	tline	UNITI												
		Mathematics in	industry-	Over view o	f the case s	studies-1	Units	and dimensions						
		-Diffusion equation	ons- Heat	conduction e	quations	(6 H	rs)							
		UNIT II Boundary condition	ons- Solvi	ng the heat/	diffusion e	auation-	Scalir	ng equations -						
		Dimensional analy		(6 Hrs)		I								
		UNIT III												
		Continuous Casting - Introduction to the case study problem - The Boltz mann												
		similarity solut	tion- Am	oving bound	dary prob	lem -Th	ie ps	eudo- steady-sta						
		approximate sol	ution-Sol	ving the cont	tinuous cas	ting case	9							
		Study (6 Hrs)											
		UNIT IV												
		Water Filtration- Introduction to the case study problem-Stretching												
		transformations- I study (6 Hrs)	Diffusion	from appoint	source-So	lving the	e wate	r filtration case						
		UNIT V												
		Laser Drilling- perturbations-Bou												
		Total Hrs: 30												

Extended	Questions related to the above topics, from various competitive examinations							
Professio	UPSC /TNPSC / others to be solved							
nal Component	(To be discussed during the Tutorial hour)							
Skills acquired	Knowledge, Problem Solving, Analytical ability, Professional Competency,							
from this	Professional Communication and Transferrable Skill							
course								
Recommended Text	Industrial Mathematics Case Studies in the Diffusion of Heat and Matter,							
	GLENN R. FULFORD PHILIP BROADBRIDGE							
Reference Books								
Website and	http://mathforum.org,http://ocw.mit.edu/ocwweb/Mathematics,							
e-Learning Source	http://www.opensource.org,www.mathpages.com							

Title of the Course		RESEARCH TOOLS AND TECHNIQUES							
Paper Nun	nber	SEC							
Category Elective		Year	I Credits		2	Cou Coo	urse le	23P2MAS07	
		Semester	II				Coue		
Instruction	nal Hours	Lecture	Tutorial		Lab P	Lab Practice		al	
Per week		1	1				2		
Pre-requis	ite								
Objectives Course	of the								
Course Ou	ıtline	UNITI Research Process	s-Rese	arch Desig	n (6 H r	rs)			
		UNIT II Research Probler	n-Var	iables and 7	Their Ty	pes (6 H	[rs)		
		UNIT III Formulation of F	Iypoth	esis-Samp	ling-Too	ls of Dat	a Col	lection (6 Hrs)	
		UNIT IV Data Analysis- Interpretation of Data (6 Hrs)							
		UNIT V Research Methods - Descriptive or Survey Method - Experimental Method (6 Hrs)							
		Total Hrs: 30							
Extended Component	Professional	Questions related to the above topics, from various competitive examinations UPSC /TNPSC / others to be solved (To be discussed during the Tutorial hour)							
Skills acque this course	uired from	Knowledge, Pro Professional Con		•	•	•	ession	al Competency,	
Recommended Text		1.RESEARCH METHODOLOGY:TOOLS AND TECHNIQUES Dr.Prabhat Pandey Dr.Meenu Mishra Pandey ©Bridge Center, 2015							

Reference Books	1 Astroff Duggelli (1061) The Degion of Social Degement University			
Reference books	1. Ackoff, RussellL.(1961). The Design of Social Research, University			
	of Chicago Press: Chicago.			
	2. Allen, T. Harrell, (1978). New Methods in Social Research,			
	Praeger Publication: New York.			
	3. Baker, R.P.&Howell, A.C. (1958). The Preparation of Reports, Ronald			
	Press: New York.			
	4. Barzun, Jacques& Graff.F.(1990). The Modern Researcher,			
	Harcourt, Brace Publication: New York.			
	5.BerelsonConard&Colton,Raymond.(1978).Research and Report			
	Writing for Business and Economics, Random House: New York.			

Website and	http://mathforum.org,http://ocw.mit.edu/ocwweb/Mathematics,
e-Learning Source	http://www.opensource.org,www.mathpages.com

ABILITY ENHANCEMENT COMPULSORY COURSES

Title o		APTITUDE SKILLS AECC 1							
Course Paper Numbe									
Cate gory	Co re	Year Semester	I Credits	1	Cours Code		23P1MAAC01		
Instruc l Hours		Lecture	Tutorial	Lab Pract	tice	To	tal		
per wee	ek	1 1				2			
Pre- requisi	te	UG level Apt	itude skills.						
Objecti of Course	the	students is to job opportuni 2.Effort has b to instill confi	meet the ommodated	competi e fundarr	tive e nental,	tude"for mathematic xaminations for bette , mathematical aspect cal reasoning thinking			
Outline	-	 UNIT I: Whole numbers, Integers, Rational and irrational numbers, Fractions, Square roots andCube roots, Surds and Indices, Problems on Numbers, Divisibility. Steps of Long Division Method for Finding Square Roots (3 Hrs) UNIT II: Basic concepts, Different formulae of Percentage, Profit and Loss, Discount, Simpleinterest, Ratio and Proportion, Mixture. 							
 (3 Hrs) UNIT III: Time and Work, Pipes and Cisterns, Basic concepts Distance and Speed; relationship among them. (3 Hrs) UNIT IV: Concept of Angles, Different Polygons like trian rectangle, square, right angledtriangle, Pythagorean Theorem, and Area of Triangles, Rectangles, Circles. (3 Hrs) 							concepts of Time,		
							-		
	-	UNIT V: Raw and grouped Data, Bar Graphs, Pie charts, Mean, Median and Mode, Events and Sample Space, Probability. (3 Hrs)							
		Total Hrs: 1	5 Hrs						

Extended	Questions related to the above topics, from various competitive examination
Professional	UPSC / TRB / NET / UGC - CSIR / GATE / TNPSC / others to be solved
Component	(To be discussed during the Tutorial hour)
(is a part of	
internal	
component	
only, Not to	
be included	
in the	
External	
Examination	
question	
paper)	
Skills	Knowledge, Problem Solving, Analytical ability, Professional Competency
acquired	Professional Communication and Transferrable Skill
from this	
course	
Recommend	1.Quantitative aptitude for Competitive examination By R S Agarwal
ed Text	2. A Modern Approach To Verbal & Non Verbal Reasoning By R S Agarwal
Reference	Analytical and Logical reasoning for CAT and other management entrance
Books	test By Sijwali B S
	Quantitative Aptitude by Competitive Examinations by Abhijit Guha 4 th edition
	Analytical and Logical reasoning By Sijwali B S
Website and	1. <u>https://prepinsta.com/</u>
e-Learning	2. <u>https://www.indiabix.com/</u>
Source	3. https://www.javatpoint.com

Course Learning Outcome (for Mapping with POs and PSOs)

	Pos							PSOs			
	1	2	3	4	5	6	1	2	3		
CLO1	3	3	3	3	3	3	3	3	3		
CLO2	3	2	2	1	2	2	3	2	3		
CLO3	3	3	3	2	3	3	3	3	3		
CLO4	3	1	3	3	3	3	3	2	3		
CLO5	3	2	3	3	3	3	3	3	3		

Title of the Course Paper Number		AECC 2: LOGICAL SKILLS								
		AECC 2								
Cate gory	Co re	YearICredits1Course23P2MASemesterIICodeCode					23P2MAAC02			
Instructiona I Hours		Lecture		Tutorial	Lab Pract			Total		
per wee		1		1				2		
Pre-		UG level Aptitude skills.								
requisit	te		-							
Objectives of Course1. The main aim of introducing "Quantitative Aptitude" for math students is to develop skill to meet the competitive examinations for job opportunity. 2. Effort has been made to accommodate fundamental, mathematical to instill confidence among students. 3. Enrich their knowledge and to develop their logical reasoning to ability.					examinations for bett , mathematical aspec					
Course Outline		 UNIT I :Analogy: Common relationships, Simple Analogy, Number Analogy, Alphabet Analogy. (3 Hrs) UNIT II: Coding- Decoding, Blood relations, Mathematical Operations. (3 Hrs) UNIT III: Arithmetical Reasoning, Directional Sense Test. (3 Hrs) UNIT IV: Logic – Logical Reasoning, Logical Deduction, Two premise arguments, three premise arguments (3 Hrs) UNIT V: Classification. Mirror Images, Cubes and Dice. (3 Hrs) 								
		Total Hrs:	15 Hrs							
Extended Questions related to the above topics, from various competitive examin Professional UPSC / TRB / NET / UGC – CSIR / GATE / TNPSC / others to be solt Component (To be discussed during the Tutorial hour) (is a part of internal component only, Not to be included in the External Examination question paper) External										

Skills acquired from this course	Knowledge, Problem Solving, Analytical ability, Professional Competency, Professional Communication and Transferrable Skill
Recommend ed Text	A Modern Approach To Verbal & Non Verbal Reasoning By R S Agarwal
Reference Books	Analytical and Logical reasoning for CAT and other management entrance test By Sijwali B S Quantitative Aptitude by Competitive Examinations by Abhijit Guha 4 th edition Analytical and Logical reasoning By Sijwali B S Quantitative aptitude for Competitive examination By R S Agarwal
Website and e-Learning Source	 <u>https://prepinsta.com/</u> <u>https://www.indiabix.com/</u> https://www.javatpoint.com